

# TEMPORAL KNOWEDDGE USNG CONCEPTUAL GRAPH 

A thesis Presented to the Department of Computer<br>Science in Paridel Fulfilmenti of the Reguiremant for the Degree<br>Miaster of Science in Compurer Science

Tanakarn Saithong

## TEMPORAL KNOWLEDGE USING CONCEPTUAL GRAPH

A thesis presented to the department of Computer Science in partial fulfillment of the requirement for the degree Master of Science in Computer Science


September, 1998

Master Thesis Title : Temporal Knowledge Using Conceptual Graph
By : Mr. Tanakarn Saithong

The Department of Computer Science, Faculty of Science and Technology, Assumption University had this final report of the 12 credit course, SC 7000 : Master Thesis, submitted in partial fulfilment of the requirement for the degree of Master of Science in Computer Science.


## ACKNOWLEDGEMENTS

The author wishes to express his sincere thanks and deep sense of gratitude to his advisor Dr. Tang Van To for his constant guidance and moral support throughout the period of this thesis work.

The author wishes to convey special thanks to his committee members Dr. Pratit Santiprabhob and Dr. Thitipong Tanprasert for their constructive criticisms and useful suggestions, and thanks to Dr. Somnuk Keretho, an external committee member from Ministry of University Affairs, for his constructive suggestions.

Sincere thanks are also for all faculty members, staffs and secretaries of the Department of Computer Science for their help and kindness.
 ABAC.

Many thanks to friends in ABAC for their encouragement throughout the study at


Finally, no word can express the contribution of the author's family. Their continued love and encouragement throughout the study was the backbone behind the success of the author in study.

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## ABSTRACT

Temporal knowledge is the knowledge about time of the events and the temporal relationships between events. The temporal knowledge engine allow us to infer the temporal knowledge and temporal relationships.

In this study, a CG model for representing temporal knowledge is studied, a mapping from CG to RDBMS tables also is derived. A simple program for input, edit, display and query on the temporal knowledge is written in Visual Basic, and an inference engine in Prolog is also developed. These two programs are interacted through text files. The engine allows us to reason the possible time of event based on the temporal knowledge available in the knowledge base, it also can deliver the topological order of events.


## CHAPTER 1

## INTRODUCTION

### 1.1 STATEMENT OF THE PROBLEM

For many years, one of the research topics of artificial intelligence has been developed for knowledge representations. In order to make knowledge suitable for processing by computers, many knowledge representation method have been developed. Among them are production rules, frames, scripts, predicate transition networks, and conceptual graphs.

Conceptual Graph (CG) proposed by SOWA (1984) is a knowledge representation language base on linguistics and it attends to incorporate concepts in natural and formal languages. This knowledge representation scheme which has gained more attention recently is a general framework model for representing knowledge, and it can be used as a main model of future integrated knowledge systems [FARGUES et al.(1986)].

CG model generalizes many ideas contained in preceding works on natural language semantics and knowledge representation [JACKMAN and PAVELIN (1988)]. A system of logic for representing natural language semantics, the mapping from natural language to CG is shorter, simpler, and more direct than the mapping to calculus predicate [SOWA (1991)].

In many situations, it may be difficult to map data in precise form. In order to represent the time of events, and attempt to mix the temporal knowledge and natural language processing to CG. Temporal knowledge specifies the time of the event. It
allows us to infer the order of events that happened. Another feature is to formulate CG programs to be usable as a programming language, as predicate logic does. It will be very useful to a wide range of application fields if temporal knowledge can also be used as a programming language.

Therefore, in this study I propose to study the CG, and the possibility to apply to temporal logic. The study emphasizes on the structure of CGs, operations on CGs, how to map CG to RDBMS, how to map temporal knowledge to CGs and how to inference about the temporal knowledge on CGs. And if it is possible how to make the Q/A systems using CGs. My main research try to find a common approach. It can be used to map from temporal knowledge to RDBMS tables, which is easy to query and implement.

### 1.2 OBJECTIVES AND SCOPE OF THE STUDY

The main objectives of this study are :

1. Study the foundation of CG Graph and its application.
2. Study a temporal knowledge such as temporal logic and temporal relations.
3. Mapping the sentence with the temporal knowledge to conceptual graph.
4. Develop the temporal knowledge inference engine.
5. Finally, a program allows to infer about temporal relationship occurring time of events is developed.

## CHAPTER 2

## CONCEPTUAL GRAPH AND TEMPORAL KNOWLEDGE

In this chapter, definition and representation of CG are reviewed in Section 2.1, the process of mapping sentences to CGs is discussed in Section 2.2 and Section 2.3. Time interval, temporal object, temporal relation and temporal logic of temporal knowledge are discussed in Section 2.4.

### 2.1 CONCEPTUAL GRAPH

Conceptual Graphs (CG) are graph-based notations with a fundamental formal basis that can be used for knowledge representation and computer based reasoning. The formalism of CG reviewed here is based on SOWA (1984).

### 2.1.1 Definition

CG is formally defined as a finite, connected, bipartite graph. The two kinds of nodes are concepts and conceptual relations (CR). Every CR has one or more arcs, each of which must be linked to some concepts. A single concept by itself may form a CG [SOWA (1984)].

It should be noted that the different between concept types and concept instances as:
a) Concept types represent classes or types of entities, attributes, states and events.
b) Concept instances (individual concept) or references is an instantiation of a concept type.
b) Concept instances (individual concept) or references is an instantiation of a concept type.

### 2.1.2 Representation of Conceptual Graph

There are two forms of display for CGs [SOWA (1984)] :
a) Graphical form : In this form a concept node is represented by a rectangle and $C R$ is represented by an oval.


Figure 2.1 : Graphical Form of Display.
b) Linear form : In this form a concept node is represented by [ ] and CR by ().
[PERSON : John $] \leftarrow($ Agnt $) \leftarrow[$ PLAY $] \rightarrow(\mathrm{Obj}) \rightarrow[$ TENNIS $]$

Figure 2.2: Linear Form of Display.

As mentioned in 2.1.1 definition, a conceptual node itself may form a CG, in this case a CG becomes a compound graph.

### 2.1.3 Atomic Conceptual Graph

Atomic Conceptual Graph (ACG) [ELLIS (1991)] is a CG that contains no logical connective and no quantifier other than the implicit existential quantifiers (Fig 2.3). An ACG containing only individual references in all the concept nodes is termed as a ground ACG (Fig 2.4).
$[$ PERSON $] \leftarrow($ Agnt $) \leftarrow[$ SIT $] \rightarrow($ Loc $) \rightarrow[$ PLACE $]$

Figure 2.3 : An Atomic Conceptual Graph.
[PERSON : Bill] $\leftarrow$ (Agnt) $\leftarrow$ [SIT : \#543] $\rightarrow$ (Loc) $\rightarrow$ [PLACE : Shop]

Figure 2.4 : A ground ACG, All Concept Nodes Contain Individual References.

### 2.1.4 Compound Graph

A CG is called a Compound graph [SOWA (1984)], if any or all of the following conditions hold :
a) It contains contexts of depth higher than 0 ,
b) It contains atomic CG connected by coreference links. Coreference link is used to connect identical concepts. It is shown using a dotted line in the graphic form.

Example 2.1 A Compound graph for "A person would go to ABAC, if he is a student of ABAC."


Figure 2.5 : A Compound Graph for "A person would go to ABAC , if he is a student of ABAC".

### 2.2 MAPPING SENTENCE TO CONCEPTUAL GRAPH

### 2.2.1 Types of References

There are extended references. They correspond to generalized determiners in natural languages : existential, individual, named individual, unique existential, definite reference, set, generic set, etc. The use of these references, which provides more flexibility in natural language representation but without semantic interpretation [SOWA (1993)]. The typically extended references is show in table 2.1

| Type of reference | Example | English reading |
| :---: | :---: | :---: |
| Universal | [CAT : $\forall$ ] | every cat |
| Singular | [CAT: @ 1] | exactly one cat |
| Generic set | [CAT : \{*\}] | Cats |
| Counted set | [CAT : $\left.*^{*}\right\}$ @ 3] | three cats |
| Set of individuals | [CA'T : \{Yoyo, Meaw \}] | Yoyo and Meaw |
| List of individuals | [CAT : <Yoyo, Meaw>] | Yoyo and then Meaw |
| Question | [CAT: ?] | which cat? |
| Plural question | [CAT: $\{*\}$ ?] | which cats? |
| Measure | [Interval: @ 5 sec ] | interval of 5 seconds |

Table 2.1 : Types of References.

### 2.2.2 Mapping Aspects

We shall illustrate several aspects of the system. Each feature is accompanied with several examples [Sait and Jame (1993)].
2.2.2.1 Subject-Verb Agreement : The translator obeys all basic English grammar rules, including the subject and verb agreement rule.
a) John lives in Bangkok.
[PERSON : John] $\leftarrow$ [LIVE] $\rightarrow$ [CITY: Bangkok]
b) There exist John and Jane living in Bangkok.
[PERSON: ()P \{John, Jane \} @ 2] $\leftarrow$ [LIVE] $\rightarrow$ [CITY : Bangkok]
2.2.2.2 Tenses : The default tense of the translator is Present (Progressive) Tense. However, the system is capable of handling other English language tenses as well.
a) John was speaking.
(PAST PROGRESSIVE) $\rightarrow\{[$ PERSON: John $] \rightarrow$ [SPEAK] $\}$
b) Bob lived in the Bangkok.
$($ PAST PROGRESSIVE $) \rightarrow\{[$ PERSON:Bob] $\leftarrow[$ [LIVE] $\rightarrow$ [CITY: Bangkok] $\}$
c) John is speaking.
(PRESENT PROGRESSIVE) $\rightarrow$ \{ [PERSON: John] $\rightarrow$ [SPEAK] $\}$
d) John is talking to Bob.
(PRESENT PROGRESSIVE) $\rightarrow\{[$ PERSON : John $] \rightarrow$ [TALK] $\rightarrow$ [PERSON : Bob] \}
2.2.2.3 Cardinality Information : The examples below show the importance of this field in natural language translation:
a) There exists a person.
[PERSON: ()P * $^{*}$ @1]
b) There exist 1 to 5 persons.
[PERSON: ()P \{*\} @1-5]
c) There exist at least 3 persons.
[PERSON: ()P \{*\} @3-œ]
d) There exist 2 to 3 persons among John, Jane, and Jill.
[PERSON : ()P \{John, Jane, Jill \} @2-3]
e) The year 1997 consists of exactly 365 days.
[YEAR : 1997] $\leftarrow[C O N S I S T] ~ \rightarrow[D A Y:() D ~\{*\} @ 365]$
2.2.2.4 Cardinality is not always needed : There are some cases, however, where cardinality information can be omitted, resulting in more natural translations. For example : There exist persons John and JANE.
[PERSON : ()P \{John, Jane\} @2]
2.2.2.5 Simple Disjunctions : The Conceptual Structure notation is capable of handling disjunctions as well, again through the cardinality information. For example : There exists persons John or Jane.
[PERSON : ()P \{John, Jane \} @ 1]
2.2.3 Hierarchical Links [Sait and Jame (1993)]
2.2.3.1 Link between individual concepts. There are two kind of links between individuals.
a) Relation corresponding to individual role.

For example : There is a person who walks.

$$
[\text { PERSON:*X }] \leftarrow[\text { AGT }] \leftarrow[\text { WALK:*Y }]
$$

b) Cross-reference link between two individuals, to express the same object.

For example : There is a person named Mary, she is a teacher.
[PERSON : "Mary", *X] [TEACHER:*X]

### 2.2.3.2 Link from a prototype to an individual concept. <br> For example: Every elephant is grey. <br> [ELEPHANT: $\forall] \rightarrow$ [COLOR] $\rightarrow$ [COLOR : gray]

### 2.2.4 Canonical Formations of Conceptual Graphs

Canonical graphs is a CG that specifies the constraints on the pattern of concepts and relations that may be linked to a concept and relation type.

There are four canonical formation rules for deriving a CG w from CG u and v (where u and v may be the same graph) [SOWA (1984)]. Assume that $u$ and $v$ are two CGs in Fig 2.6.


Figure 2.6: Two CGs "A student plays tennis" and "The person John plays at ABAC".
2.2.4.1 $\operatorname{Copy}(\mathbf{u}, \mathbf{w}):$ The copy rule allows us to form a new graph, $w$, that is the exact copy of $u$.
2.2.4.2 Restrict(u:c, w:c) : Let $c$ be a concept of $u$ that is not nested inside any context and with a reference that is either a constant or an existential quantifier. Then $w$ is $u$ with $c$ restricted either by type or by reference : restriction by type replaces the type label of $c$ with some subtype; and restriction by reference replaces an existential quantifier with a constant. From Fig 2.6 we can replace PERSON with STUDENT, and represented in Fig 2.7, called restriction by type.


Figure 2.7 : The Graphs Obtained After Restriction.
2.2.4.3 Join(u:c, v:d, w:c) : The join rule lets us combine two graphs into a single graph. Let $c$ be a concept of $u$ and $d$ a concept of $v$, where neither $c$ nor $d$ is nested inside a context and both c and d have identical type and reference fields. Then $w$ is the graph obtained by deleting $d$ and linking to $c$ all arcs of CRs that had been linked to d. From Fig 2.6 we can join CG u and CG in Fig 2.7 by delete concept STUDENT in $u$ and represented in Fig 2.8.


Figure 2.8 : The Graph Obtained After Join.
2.2.4.4 Simplify(u:r, u:s, w:r): w is $u$ where one of a pair of duplicate CRs in $u$ has been deleted. Two CRs $r$ and $s$ in the graph $u$ are said to be duplicates if they are of exactly the same type, and for each $i$, the $i$-th arc of $r$ is attached to the same concept as the i-th arc of s. Duplicate relations often occur as the result of a join operation, as in Fig 2.8 we can delete relation
[STUDENT : "John"] $\leftarrow$ (Agnt) $\leftarrow$ [PLAY] and represented in Fig 2.9.


Figure 2.9 : The Graphs Obtained After Simplification.

### 2.2.5 Maximal Join

Maximal join $\left(\mathrm{G}_{1}: \mathrm{C}_{1}, \mathrm{G}_{2}: \mathrm{C}_{2}, \mathrm{G}_{3}\right)$ is an important and useful operation defined on CG[JACKMAN and PAVELIN (1988)], which can be considered for the composition of CGs. It has been defined as a join of two graphs followed by a sequence of restrictions, joins and simplifications that explain in 2.2.4 Canonical Formations of Conceptual Graphs, so that as much matching and merging of the original graph as possible is performed.

## 

$$
3123 e 1
$$

The algorithm for maximal joining the graph $G_{1}$ and $G_{2}$ is the following steps.

1) List all concepts contained in $G_{1}$ and $G_{2}$.
2) Search for pairs of concept $C_{1}$ and $C_{2}$ which can be element of the projection graph.
3) Generate lists of relation which are connect to $C_{1}$ and $C_{2}$ in the corresponding graph.
4) Generate the resulting $G_{3}$ which consists of the projection graph link to subgraph that connect with $C_{1}$ and $C_{2}$ in $G_{1}$ and $G_{2}$.

Example 2.2 Given $G_{1}$ and $G_{2}$ are two $C G s$, as in below figures.


From the algorithm that described above, we have
Step 1: $\mathrm{G}_{1}$ has the concept [PERSON : John] and [CAT : Meaw]
$\mathrm{G}_{2}$ has the concept [CAT : Meaw] and [MAT]
Step 2 : Search the pairs of concept :

$$
\begin{aligned}
& \mathrm{C}_{1}=[\text { CAT : Meaw }] \\
& \mathrm{C}_{2}=[\text { CAT : Meaw }]
\end{aligned}
$$

Step 3 : Generate the lists of relation.
Step 4 : Generate the resulting graph $\mathrm{G}_{3}$ :


### 2.2.6 Type Hierarchy

Type Hierarchy is a partial ordering on the set of types, indicated by the symbol $\leq$. If $s$ and $t$ are types and $t \leq s$, then $t$ is said to be a subtype of $s$ and $s$ is said to be a supertype of $t$ [Sait and Jame (1993)]. A type may have more than one supertype and more than one subtype.

If $s, t$, and $u$ are types, with $t \leq s$ and $t \leq u$, then $t$ is said to be a common subtype of $s$ and $u$. Similarly, if $s \leq v$ and $u \leq v$ then $v$ is a common supertype of $s$ and $u$.

The universal type, indicated by T , is a supertype of all types. The absurd type, indicated by $\perp$, is a subtype of all types.

### 2.3 MAPPING SENTENCE TO CONCEPTUAL GRAPH WITH THE HELP OF PARSING TECHNIQUES

This requires a knowledge of the structure of the sentence, the roles of individual words and how the words modify each other. The process of determining the syntactical structure of a sentence is known as parsing.

Parsing is the process of analyzing a sentence by taking it apart word-by-word and determining its structure from its component parts and subparts. The structure of a sentence can be represented with a syntactic tree. The parsing process is basically the inverse of the sentence generation process since it involves finding a grammatical sentence structure from an input string. When given an input string, the lexical parts must first be identified by type, and then the role they play in a sentence must be determined. These parts can then be combined successively into larger units until a complete structure has been completed.

To determine the meaning of a word, a parser must have access to a lexicon. When the parser selects a word from the input stream it locates the word in the lexicon and obtains the word's possible function and other features, including semantic information. This information is then used in building a parse tree.

Example 2.3 Parse tree for a sentence "John plays tennis." is given in Fig 2.10 .


Figure 2.10 : A Parse Tree for "John plays tennis.".

Once a parse tree is obtained, we apply the rule that is given in 2.2 to map the sentence into CG.

### 2.4 TEMPORAL KNOWLEDGE

An approach that can be used to model temporal information. CG can be extended to include the notion of time coordinate systems in the form of agent perspective and temporal localizations.

Any discourse contains sentences which result from speech acts performed by the narrator (speaker or writer) and received by another agent (hearer or reader). A conversation between agents is conducted in what we call a conversational context, the place and time where agents interact, as well as the world knowledge that is used.

This approach distinguishes two levels for representing the information contained in a discourse :
a) Conceptual level which describes the relationships (temporal relations) associating temporal entities (objects, situations, localizations, perspectives).
b) Linguistic level which contains the linguistic information needed for uttering the discourse sentences.

### 2.4.1 Time Intervals

All temporal structures are associated with a time interval [Bernard (1993)]. An absolute time reference (TR, called "time axis") composed of a set of elements called "time points". An elementary time interval is a continuous sub-set of TR.

The elementary time interval is specified by a list of parameters :
a) Begin Time (BT)
b) End Time (ET) (lower and upper bounds of the time interval on TR)
c) Time Scale (TS) (unit used to measure the begin-time and end-time on TR)
d) Duration Time (DT)
e) Duration Scale (DS)

A multiple time interval is composed of a set of elementary time intervals, which may be contiguous or not.

### 2.4.2 Temporal Object

A temporal object is a concept that is characterized by a time interval such as "day", "week", "month" or "year" [Bernard (1993)]. A temporal object can be decomposed into other temporal object. For instance "day" can be decomposed into "morning", "afternoon", "evening" and "noon".

We represent a temporal object with a rectangle. The rectangle represents the corresponding time interval. On the top of the rectangle we indicate BT and ET.

### 2.4.3 Temporal Relation

Temporal relations is the relation between two temporal objects. A fundamental set of thirteen temporal relations [Allen (1983)] are shown in the following:


1) BEFORE ( $X, Y$ ) - time interval $X$ is before $Y$, and they do not overlap.

$$
-\mathrm{ET}(\mathrm{X})<\mathrm{BT}(\mathrm{Y})
$$

It can be seen in the following diagram :

2) DURING ( $\mathrm{X}, \mathrm{Y}$ ) - time interval X is fully contained within Y , although they may coincide on their end points.

$$
\begin{aligned}
& -\mathrm{BT}(\mathrm{X})>\mathrm{BT}(\mathrm{Y}) . \\
& -\mathrm{ET}(\mathrm{X})<\mathrm{ET}(\mathrm{Y}) .
\end{aligned}
$$

It can be seen in the following diagram :

3) OVERLAP ( $X, Y$ ) - time interval $X$ start before $Y$, and they overlap.
$-\mathrm{BT}(\mathrm{X})<\mathrm{BT}(\mathrm{Y})$.
$-\mathrm{ET}(\mathrm{X})<\mathrm{ET}(\mathrm{Y})$.
$-E T(X)-B T(Y)=O V E R L A P(X, Y)$.

It can be seen in the following diagram :
X :
Y:
OVERLAP $(\mathrm{X}, \mathrm{Y})$ :

4) EQUAL ( $X, Y$ ) - time interval $X$ is equal $Y$.
$-\mathrm{BT}(\mathrm{X})=\mathrm{BT}(\mathrm{Y})$.
$-\mathrm{ET}(\mathrm{X})=\mathrm{ET}(\mathrm{Y})$.

It can be seen in the following diagram:
X :
Y:
DS :

5) MEET ( $X, Y$ ) - time interval $X$ start before $Y$.

$$
-\mathrm{ET}(\mathrm{X})=\mathrm{BT}(\mathrm{Y}) .
$$

It can be seen in the following diagram :
X :
Y:
DS :

6) START (X,Y) - time interval $X$ start at the same time of $Y$.
$-\mathrm{BT}(\mathrm{X})=\mathrm{BT}(\mathrm{Y})$.

It can be seen in the following diagram :
X :
Y:
DS :

7) FINISH (X,Y) - time interval $X$ finish at the same time of $Y$.

$$
-\mathrm{ET}(\mathrm{X})=\mathrm{ET}(\mathrm{Y})
$$

It can be seen in the following diagram :
X :
Y :
DS :


The remaining six temporal relations are inverse of FINISH, MEET, DURING, BEFORE, OVERLAP and START.
8) FINISH $^{-1}(Y, X)$ is the inverse of FINISH ( $X, Y$ ).
9) $\operatorname{MEET}^{-1}(Y, X)$ is the inverse of $\operatorname{MEET}(X, Y)$.
10) $\operatorname{DURING}^{-1}(Y, X)$ is the inverse of $\operatorname{DURING}(X, Y)$.
11) $\operatorname{START}^{-1}(Y, X)$ is the inverse of START $(X, Y)$.
12) $\operatorname{OVERLAP}^{-1}(\mathrm{Y}, \mathrm{X})$ is the inverse of $\operatorname{OVERLAP}(X, Y)$.
13) $\operatorname{AFTER}(Y, X)$ is the inverse of $\operatorname{BEFORE}(X, Y)$.

A temporal relation associating two temporal objects is represented by a circle which is related to the two objects by arrow. The circle contains the temporal relation type (such as BEFORE, AFTER, DURING). We consider eight primitive relations called "AFTER", "BEFORE", "DURING", "EQUAL", "FINISH", "OVERLAP", "MEET" and "START" between two intervals.

Example 2.4 Temporal objects for a sentence "John played tennis on December 10,1997 from 9:00 to 9:30 after he had read a cartoon-book" are given in the Fig 2.11.


Figure 2.11 : Temporal Objects for "John played tennis on December 10,1997 from 9:00 to 9:30 after he had read a cartoon-book".

### 2.4.4 Temporal Logic

All systems of temporal logic that we shall consider are extensions of minimal temporal logic and are obtained by impose further constraints on relation of temporal precedence [Turner (1984)]. The concept of "branching time" is obtained by impose two constraints R:

$$
\begin{aligned}
& \mathrm{R} 1:(\forall \mathrm{t} \forall \mathrm{~s} \forall \mathrm{r})((\mathrm{R}(\mathrm{t}, \mathrm{~s}) \& \mathrm{R}(\mathrm{~s}, \mathrm{r})) \rightarrow \mathrm{R}(\mathrm{t}, \mathrm{r})) \\
& \mathrm{R} 2:(\forall \mathrm{t} \forall \mathrm{~s} \forall \mathrm{r})((\mathrm{R}(\mathrm{t}, \mathrm{r}) \& \mathrm{R}(\mathrm{~s}, \mathrm{r})) \rightarrow \mathrm{R}(\mathrm{t}, \mathrm{~s}) \mathrm{v}(\mathrm{t}=\mathrm{s}) \mathrm{v} \mathrm{R}(\mathrm{~s}, \mathrm{t}))
\end{aligned}
$$

Condition, R2, referred to as backwards linear.

$$
\mathrm{R} 3:(\forall \mathrm{t} \forall \mathrm{~s})((\mathrm{R}(\mathrm{~s}, \mathrm{t}) \vee \mathrm{s})=(\mathrm{t} \vee \mathrm{R}(\mathrm{t}, \mathrm{~s})))
$$

Obviously, R3 is equivalent to the conjunction of R2, and forwards linear given as R4:

```
R4:(\forallt \foralls \forallr)(R(r,t)&R(r,s)) }->\textrm{R}(\textrm{s},\textrm{t})\vee(\textrm{s}=\textrm{t}) v\textrm{R}(\textrm{t},\textrm{s})
R5:(\foralls) (\existst) (R(t, s))
R6:(\foralls)(\existst) (R(s,t))
```

R5 guarantees that time has no beginning, and R6 that time has no end.

Each of temporal relations is represented by a predicate logic, and they are governed by a set of axioms of which the following are representative :

1) Before $(A, B)$, Before $(B, C) \rightarrow \operatorname{Before}(A, C)$
2) During $(A, B)$, During $(B, C) \rightarrow$ During $(A, C)$
3) Equal(A,B), Equal $(B, C) \rightarrow \operatorname{Equal}(A, C)$
4) Finish(A,B), Finish(B,C) $\rightarrow \operatorname{Finish}(A, C)$
5) $\operatorname{Start}(A, B), \operatorname{Start}(B, C) \rightarrow \operatorname{Start}(A, C)$
6) $\operatorname{After}(\mathrm{A}, \mathrm{B}) \rightarrow \operatorname{Before}(\mathrm{B}, \mathrm{A})$
7) Equal(A,B) $\rightarrow$ Equal( $\mathrm{B}, \mathrm{A})$
8) Finish(A,B) $\rightarrow$ Finish $(B, A)$
9) $\operatorname{Start}(\mathrm{A}, \mathrm{B}) \rightarrow \operatorname{Start}(\mathrm{B}, \mathrm{A})$
10) Before $(A, C)$, During $(B, C) \rightarrow \operatorname{Before}(A, B)$
11) Before $(C, A)$, During $(B, C) \rightarrow$ Before $(B, A)$
12) Before $(A, B)$, Equal $(B, C) \rightarrow \operatorname{Before}(A, C)$
13) Before (A,B), Equal(A,C) $\rightarrow$ Before(C,B)
14) Before $(A, B)$, Finish $(A, C) \rightarrow \operatorname{Before}(C, B)$
15) $\operatorname{Before}(B, C), \operatorname{Meet}(A, B) \rightarrow \operatorname{Before}(A, C)$
16) Before(C,A), Meet(A,B) $\rightarrow$ Before(C,B)
17) Before(A,B), Overlap(B,C) $\rightarrow$ Before (A,C)
18) Before(A,B), Overlap(C,A) $\rightarrow$ Before(C,B)
19) Before $(A, B), \operatorname{Start}(B, C) \rightarrow \operatorname{Before}(A, C)$
20) During $(A, B)$, Equal $(A, C) \rightarrow \operatorname{During}(C, B)$
21) During $(A, B)$, Equal $(B, C) \rightarrow \operatorname{During}(A, C)$
22) During $(C, B)$, $\operatorname{Meet}(A, B) \rightarrow B \operatorname{efore}(A, C)$
23) During(C,A), Meet(A,B) $\rightarrow$ Before $(C, B)$
24) Equal(A,B), Finish $(B, C) \rightarrow \operatorname{Finish}(A, C)$
25) Equal(A,C), $\operatorname{Meet}(A, B) \rightarrow \operatorname{Meet}(C, B)$
26) $\operatorname{Equal}(B, C), \operatorname{Meet}(A, B) \rightarrow \operatorname{Meet}(A, C)$
27) Equal(A,B), Overlap $(B, C) \rightarrow$ Overlap $(A, C)$
28) Equal(A,C), Overlap $(B, C) \rightarrow$ Overlap $(B, A)$
29) Equal(A,B), $\operatorname{Start}(B, C) \rightarrow \operatorname{Start}(A, C)$
30) Finish(A,C), $\operatorname{Meet}(A, B) \rightarrow \operatorname{Meet}(C, B)$
31) Finish $(A, B), \operatorname{Start}(A, B) \rightarrow \operatorname{Equal}(A, B)$
32) $\operatorname{Meet}(A, B), \operatorname{Start}(B, C) \rightarrow \operatorname{Meet}(A, C)$
33) $\operatorname{Meet}(A, B)$, Overlap(C,A) $\rightarrow$ Before(C,B)
34) $\operatorname{Meet}(A, B), \operatorname{Overlap}(B, C) \rightarrow \operatorname{Before}(A, C)$

## CHAPTER 3

## IMPLEMENTATION ISSUES

This chapter presents the framework suggested by author. Mapping sentences to CGs, mapping sentences with temporal knowledge to CGs, mapping CGs to tables of relation database, mapping tables of relation database to predicates are discussed in Section 3.1 to 3.4. The development of temporal knowledge inference engine is given in Section 3.5.

### 3.1 MAPPING SENTENCE TO CONCEPTUAL GRAPH

The basic principle in mapping sentence to CG is that content words are map to concept nodes, and function words like prepositions and conjunctions are map to relation nodes. Following are some finer distinctions :
a) Ordinary nouns, verbs, adverbs, and adjectives are mapped to concept node. For example [PERSON : John], [PLAY], and [TENNIS].
b) Proper names map to the reference field of a concept whose type field specifies the type. For example [PERSON : John], [CITY : Bangkok], and [PLACE: ABAC].
c) The symbol \# with optional qualifiers is used in the reference field for contextually defined references. For example [PERSON : \#John], [CITY : \#Bangkok], and [PLACE : \#ABAC].
d) Plural nouns are represented by the plural reference $\{*\}$ followed by an optional count.
e) CR between two concept nodes is connected to concept nodes by the arrows.

Concept designs a type and a reference, which is either a specified individual or an unspecified individual or generic of the type. For example [PERSON : "John"] is specified individual, [BUS :*] or [BUS] is unspecified individual.

Example 3.1 Mapping the sentence "John plays tennis." to CG.

1. John is noun, and is a name of person, thus we the concept node PERSON and specify by John. It is [PERSON : John].
2. Play is a verb, it is the concept node [PLAY].
3. Tennis is a noun, it is the concept node [TENNIS].
4. CR PLAY to PERSON with the relation agent, for abbreviate Agnt.

5. CR PLAY to TENNIS with the relation object, for abbreviate Obj.


Combining 4 and 5 we get the complete CG for "John plays tennis.".


Figure 3.1 : CG for "John plays tennis.".

### 3.2 MAPPING SENTENCE WITH TEMPORAL KNOWLEDGE TO CONCEPTUAL GRAPH

The mapping a sentence with temporal knowledge to CG can be done through following steps :

1) Decompose the sentence into subclauses.
2) Change each subclauses to $C G$ and map to temporal object.
3) Relate each temporal objects with the temporal relation type (such as BEFORE, AFTER, DURING).

In order to explain the mapping from temporal knowledge to CG, the example are given below :

Example 3.2 The sentence "On July 15,1998, John started sleeping at 4pm during the time Mary watched TV from 3 pm to 5 pm , after that they had dinner together.".


Step 1: The sentence can be decomposed into :

- Subclause 1 "John started sleeping.".
- Subclause 2 "Mary watched TV.".
- Subclause 3 "John and Mary had dinner."

Step 2 : - Change "Subclause 1" to CG and map to temporal object "Sleeping",

- change "Subclause 2" to CG and map to temporal object "Watching", and
- change "Subclause 3" to CG and map to temporal object "Having_dinner".

Step 3 : Relate temporal object "Sleeping" and "Watching" with temporal relation DURING. Temporal object "Sleeping" represent BT by [BT : July 15,1998 (16.00)]. Temporal object "Watching" represent BT by [BT : July 15,1998 (15.00)] and ET by [ET : July 15,1998 (17.00)].

Step 4 : Relate temporal object "Watching" and "Having_dinner" with temporal relation BEFORE.


Figure 3.2: CG of "On July 15,1998, John started sleeping at 4pm during the time Mary watched TV from 3 pm to 5 pm , after that they had dinner together.".

### 3.3 MAPPING CONCEPTUAL GRAPH TO TABLES OF RELATION DATABASE

All graph-storing tables in our system can be shown in the following :

1) The conceptual table, the domains common to all uses are :

- TYPE
- INDIVIDUAL

The concept from and to position
The reference of concept
2) The action table, the common domains are :

- FROM The reference of the concept in the from position
- ACTION The concept refer to action name
- TO The reference of the concept in the to position
- EVENT

The event name
3) The temporal relation table, the common domains are :

- TYPE
- EVENT_I The event name
- EVENT_2

The event name
4) The time table, the common domains are

- EVENT * The event name
- BT Begin time of event
- ET End time of event
- DT Duration Time of event

When we mention the FROM and TO positions, these refer to the concepts attached to a relation; the FROM position is occupied by a concept which points to the relation, and the TO position is occupied by a concept which the relation points to.

Example 3.3 Consider the CG given in Fig 3.2 that presented "On July 15,1998, John started sleeping at 4pm during the time Mary watched TV from 3pm to 5pm, after that they had dinner together." can be mapped to RDB as Fig 3.3.

## CONCEPTUAL TABLE :

| TYPE | INDIVIDUAL |
| :---: | :---: |
| Person | John |
| Person | Mary |
| Thing | Bed |
| Thing | TV |

## ACTION TABLE:

| FROM | ACTION | TO | EVENT |
| :---: | :---: | :---: | :---: |
| John | Sleep | Bed | Sleeping |
| Mary | Watch | TV | Watching |
| John, Mary | Have_dinner | - | Having_dinner |

TEMPORAL RELATION TABLE:

| TYPE | EVENT_1 | EVENT_2 |
| :---: | :---: | :---: |
| During | Sleeping | Watching |
| Before | Watching | Having_dinner |

TIME TABLE :

| EVENT | BT | ET | DT |
| :---: | :---: | :---: | :---: |
| Watching | July 15,1998(15.00) | July 15,1998 (17.00) | - |
| Sleeping | July $15,1998(16.00)$ | - | - |

Figure 3.3 : RDB for "On July 15,1998, John started sleeping at 4pm during the time Mary watched TV from 3pm to 5pm, after that they had dinner together."

Example 3.4 Mapping the CG given in Fig 2.11 that represented "John played tennis on December 10,1997 from 9:00 to 9:30 after he had read a cartoonbook" to RDB as Fig 3.4.

## CONCEPTUAL TABLE :

| TYPE | INDIVIDUAL |
| :---: | :---: |
| Person | John |
| Sport | Tennis |
| Book | Cartoon-Book |

## ACTION TABLE:

| FROM | ACTION | TO | EVENT |
| :---: | :---: | :---: | :---: |
| John | Play | Tennis | Playing |
| John | Read | Cartoon-Book | Reading |

TEMPORAL RELATION TABLE:

| TYPE | EVENT_1 | EVENT_2 |
| :---: | :---: | :---: |
| After | Playing | Reading |

TIME TABLE :

| EVENT | BT | ET | DT |
| :---: | :---: | :---: | :---: |
| Playing | Dec $10,1997(9.00)$ | Dec $10,1997(9.30)$ | - |

Figure 3.4 : RDB for "John played tennis on December 10,1997 from 9:00 to 9:30 after he had read a cartoon-book".

### 3.4 MAPPING TABLES OF RELATION DATABASE TO PREDICATES

From tables of relation database that explain in 3.4 can map to following predicates:

1) The conceptual table is mapping to the predicate form as
"concept(TYPE, INDIVIDUAL)"
2) The action table is mapping to the predicate form as
"action(FROM, ACTION, TO, EVENT)"
3) The temporal relation table is mapping to the predicate form as
"TYPE(EVENT_1,EVENT_2)"
4) The time table is mapping to the predicate form as "event(EVENT, BT, ET, DT)"
```
Example 3.5 Mapping RDB given in Fig 3.3 to predicates as follow:
concept(person, john)
concept(person, mary)
concept(thing, bed)
concept(thing,tv)
action(john, sleep, bed, sleeping)
action(mary, watch, tv, watching)
action(john, have_dinner, -, having_dinner)
action(mary, have_dinner, -, having_dinner)
during(sleeping, watching)
before(watching, having_dinner)
event(watching,bt(1998,07,15,15,00), et(1998,07,15,17,00), DT)
event(sleeping,bt(1998,07,15,16,00), ET, DT)
```

Example 3.6 Mapping RDB given in Fig 3.4 to predicates as follow:
concept(person, john)
concept(sport, tennis)
concept(book, cartoon)
action(john, play, tennis, playing)
action(john, read, cartoon, reading)
after(playing, reading)
event(playing, bt(1997,12,10,09,00), et(1997,12,10,09,30), DT)

### 3.5 TEMPORAL KNOWLEDGE INFERENCE ENGINE

At a general level, the sequence of events take place when new information is added to the application. This makes the temporal knowledge changing. The result of an evaluation of either an adding or query is known or unknown. If any assertion contains unknown information then this is request to add more necessary new information.

When new information are added to the application, new temporal model that follow from the new information are not generated until query time.

### 3.5.1 Algorithm for Finding Time

Prototype : time (Ev1)

1) If we have the knowledge base as : "event(Ev1, bt(Year, Month, Day, Hour, Minute), et(Year,Month,Day,Hour,Minute), dt(Year,Month,Day,Hour,Minute))".

If we know only two arguments, a multi-way reasoning allows us to infer the another. For example
a) BT and ET are known, DT can be computed as: DT $=\mathrm{ET}-\mathrm{BT}$.

It can be represented in the pseudocode rule as : $\operatorname{event}(\operatorname{Ev} 1, \operatorname{bt}(\ldots), \operatorname{et}(\ldots), \mathrm{D}) \rightarrow \mathrm{D}$ is $\mathrm{et}(\ldots)-\operatorname{bt}(\ldots)$
b) BT and DT are known, ET can be computed as: ET $=\mathrm{BT}+\mathrm{DT}$.

It can be represented in the pseudocode rule as :
$\operatorname{event}(\operatorname{Ev} 1, b t(\ldots), \mathrm{E}, \operatorname{dt}(\ldots)) \rightarrow \mathrm{E}$ is $\mathrm{bt}(\ldots)+\operatorname{dt}(\ldots)$
It can be written in the following prolog program :-

```
time(Ev1) :- event(Evl,bt(Yrl,Mol,Dal,Hrl,Mnl), et(Yr,Mo,Da,Hr,Mn),
    dt(Yr2,Mo2,Da2,Hr2,Mn2)),
nonvar(Yr1), nonvar(Yr2), var(Yr),
Mn}\mathrm{ is Mnl + Mn2, Hr is Hr1 + Hr2, Da is Da1 + Da2,
Mo is Mol + Mo2, Yr is Yr1 + Yr2,
check(Yr,Mo,Da,Hr,Mn),
display("et(Yr,Mo,Da,Hr,Mn)").
```

Predicate "check" checks the legality of time, for example the value of Hr should be in the range of 0 to 24 .
c) ET and DT are known, BT can be computed as: BT $=\mathrm{ET}-\mathrm{DT}$.

It can be represented in the pseudocode rule as : $\operatorname{event}(E v 1, B, \operatorname{et}(\ldots), \operatorname{dt}(\ldots)) \rightarrow B$ is $\operatorname{et}(\ldots)-\operatorname{dt}(\ldots)$
d) If all BT, ET, DT are known, it is necessary to check whether these values are compatible, it means that $\mathrm{ET}=\mathrm{BT}+\mathrm{DT}$ should be satisfied.
e) For an event, the ending time should be larger than the begin time, therefore event(Ev1, bt(...), E, D) $\rightarrow E \geq b t(\ldots)$

This rule can be used to infer the ET of an event when it BT is known.
f) For an event, the begin time should be smaller than the end time, therefore event(Evl, B, et(...), D) $\rightarrow$ B $\leq \operatorname{et}(\ldots)$

This rule can be used to infer the BT of an event when it ET is known.

All of these rules can be applied and resolved the conflicts to find a best reasonable interval for a time variable. For example if we know that

$$
\begin{aligned}
& \mathrm{ET}>(1990,10,20,12,00) \\
& \mathrm{ET}>(1992,1,12,15,30)
\end{aligned}
$$

ET > $(1989,5,20,01,00)$
$\mathrm{ET}<(1998,10,20,12,00)$ and
ET < (1998,5,10,12,00).
Then the suitable range for ET is from $(1992,1,12,15,30)$ to (1998,5,10,12,00).

Based on (a), (b), and (c), the time of event is known explicitly, if we know any two variables of BT, ET or DT.
2) Temporal knowledge of an event can be derived from temporal knowledge of other events and temporal relationships, as given in table 3.1. In this table a marked data is a known data.

| Relation | Event 1 |  | Event 2 |  | Inference Rule |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | BT | ET | BT | ET |  |
| 1. BEFORE |  | $\checkmark$ <br> $\checkmark$ $\partial \ddot{s}$ |  | $\checkmark$ <br> $\checkmark$ $\begin{aligned} & 1960 \\ & 18 \end{aligned}$ | $\begin{aligned} & \mathrm{BT} 1<\underline{\mathrm{ET} 1}<\mathrm{BT} 2 \\ & \mathrm{BT} 1<\underline{\mathrm{ET} 1}<\underline{\mathrm{BT} 2}<\mathrm{ET} 2 \\ & \mathrm{BT} 1<\underline{\mathrm{ET} 1}<\underline{\mathrm{BT} 2}<\underline{\mathrm{ET} 2} \\ & \mathrm{ET} 1<\underline{\mathrm{BT} 2}<\mathrm{ET} 2 \\ & \mathrm{ET} 1<\underline{\mathrm{BT} 2}<\underline{\mathrm{ET} 2} \\ & \underline{\mathrm{BT} 1}<\underline{\mathrm{ET} 1}<\mathrm{BT} 2 \\ & \underline{\mathrm{BT} 1}<\underline{\mathrm{ET} 1}<\underline{\mathrm{BT} 2}<\mathrm{ET} 2 \end{aligned}$ |
| 2. DURING | $\checkmark$ | $\checkmark$ <br> $\checkmark$ | $\checkmark$ | $\begin{aligned} & \checkmark \\ & \checkmark \end{aligned}$ | $\begin{aligned} & \underline{\mathrm{BT} 2}<\mathrm{BT} 1 \\ & \mathrm{ET} 1<\underline{\mathrm{ET} 2} \\ & \mathrm{BT} 2<\underline{\mathrm{BT} 1} \\ & \underline{\mathrm{ET} 1}<\mathrm{ET} 2 \\ & \mathrm{BT} 1<\underline{\mathrm{ET} 1}<\mathrm{ET} 2 \\ & \mathrm{BT} 2<\underline{\mathrm{BT} 1}<\mathrm{ET} 1 \end{aligned}$ |

Table 3.1 : Inference Rules. The underlined variables are derived variables. (Continued on the next page.)

| Relation | Event 1 |  | Event 2 |  | Inference Rule |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | BT | ET | BT | ET |  |
| 3. EQUAL | $\checkmark$ |  |  |  | $\mathrm{BT} 1=\underline{\mathrm{BT} 2}$ |
|  |  |  | $\checkmark$ |  | BT1 $=$ BT2 |
|  |  | $\checkmark$ |  |  | $\mathrm{ET} 1=\underline{\mathrm{ET} 2}$ |
|  |  |  |  | $\checkmark$ | ET1 $=$ ET2 |
| 4. FINISH |  | $\checkmark$ |  |  | $\mathrm{ET} 1=\mathrm{ET} 2$ |
|  |  |  |  | $\checkmark$ | $\underline{\mathrm{ET} 1}=\mathrm{ET} 2$ |
| 5. MEET |  | $\checkmark$ |  |  | $\mathrm{ET} 1=\underline{\mathrm{BT} 2}$ |
|  |  |  | $\checkmark$ |  | $\underline{\mathrm{ET} 1}=\mathrm{BT} 2$ |
| 6. OVERLAP |  |  | $\checkmark$ <br> $\checkmark$ |  | $\begin{aligned} & \mathrm{BT} 1<\underline{\mathrm{BT} 2} \\ & \underline{\mathrm{BT} 2}<\mathrm{ET} 1<\mathrm{ET} 2 \\ & \underline{\mathrm{BT} 1}<\mathrm{BT} 2<\underline{\mathrm{ET} 1} \\ & \underline{\mathrm{ET} 1}<\mathrm{ET} 2 \\ & \mathrm{BT} 1<\underline{\mathrm{BT} 2}<\mathrm{ET} 1 \\ & \mathrm{BT} 2<\mathrm{ET} 1<\mathrm{ET} 2 \end{aligned}$ |
| 7. START | $\checkmark$ |  | $\checkmark$ |  | $\begin{aligned} & \mathrm{BT1}=\mathrm{BT2} \\ & \underline{\mathrm{BT1}}=\mathrm{BT} 2 \end{aligned}$ |

Table 3.1 (Continued).

### 3.5.2 Algorithm for Finding Before Relation

Prototype : before (Evl,Ev2). This predicate is true if event 1 occurred before event 2. Before predicate can be defined on the comparison between ET of one event with the BT of other event as :

If ET1 $<\mathrm{BT} 2 \rightarrow$ Before(Ev1,Ev2)
The before relation is a transitive relation, therefore

$$
\text { Before }(A, B), \text { Before }(B, C) \rightarrow \text { Before }(A, C)
$$

Other approaches, the relation before can be derive from other relations

$$
\begin{aligned}
& \operatorname{After}(\mathrm{A}, \mathrm{~B}) \rightarrow \operatorname{Before}(\mathrm{B}, \mathrm{~A}) \\
& \operatorname{Before}(\mathrm{A}, \mathrm{C}), \operatorname{During}(\mathrm{B}, \mathrm{C}) \rightarrow \operatorname{Before}(\mathrm{A}, \mathrm{~B})
\end{aligned}
$$

```
Before (C,A), During \((B, C) \rightarrow\) Before \((B, A)\)
Before \((A, B)\) Equal \((B, C) \rightarrow\) Before \((A, C)\)
Before (A,B), Equal(A,C) \(\rightarrow\) Before(C,B)
Before(A,B), Finish(A,C) \(\rightarrow\) Before(C,B)
Before(B,C), Meet(A,B) \(\rightarrow\) Before(A,C)
Before(C,A), Meet(A,B) \(\rightarrow\) Before (C,B)
```

Before (A,B), Overlap(B,C) $\rightarrow$ Before (A,C)
Before (A,B), Overlap(C,A) $\rightarrow$ Before(C,B)
Before(A,B), Start(B,C) $\rightarrow$ Before (A,C)
During $(C, B), \operatorname{Meet}(A, B) \rightarrow$ Before $(A, C)$
During(C,A), Meet(A,B) $\rightarrow$ Before(C,B)
$\operatorname{Meet}(\mathrm{A}, \mathrm{B})$, Overlap(C,A) $\rightarrow$ Before(C,B)
$\operatorname{Meet}(A, B)$, Overlap(B,C) $\rightarrow$ Before(A,C)

### 3.5.3 Algorithm for Finding During Relation

Prototype : during(Ev1,Ev2). This predicate is true if event 1 occurred during the time of event 2 . The during relation can be derived on the comparison of BT and ET of two events, or form the transitive property of during as :

If $\mathrm{BT} 1>\mathrm{BT} 2$ and ET1 $<\mathrm{ET} 2 \rightarrow$ During(Ev1,Ev2)
During $(\mathrm{A}, \mathrm{B})$, During $(\mathrm{B}, \mathrm{C}) \rightarrow \operatorname{During}(\mathrm{A}, \mathrm{C})$
During(A,B), Equal(A,C) $\rightarrow$ During $(C, B)$
During $(A, B)$, Equal $(B, C) \rightarrow$ During $(A, C)$

### 3.5.4 Algorithm for Finding Equal Relation

Prototype : equal(Ev1,Ev2). This predicate is true if event 1 occurred at the same time of event 2 . The equal relation can be derived on the comparison of BT and ET of two events, or form the transitive property of equal, or backward property as :

If $\mathrm{BT} 1=\mathrm{BT} 2$ and $\mathrm{ET} 1=\mathrm{ET} 2 \rightarrow \mathrm{Equal}(\mathrm{Ev} 1, \mathrm{Ev} 2)$
Equal(A,B), Equal(B,C) $\rightarrow$ Equal(A,C)
Equal(A,B) $\rightarrow \operatorname{Equal}(\mathrm{B}, \mathrm{A})$

Finish(A,B), Start(A,B) $\rightarrow \operatorname{Equal}(A, B)$

### 3.5.5 Algorithm for Finding Finish Relation

Prototype : finish $(E v 1, E v 2)$. This predicate is true if event 1 finished at the same time of event 2 . The finish relation can be derived on the comparison of BT and ET of two events, or form the transitive property of finish, or backward property as :

If ET1 $=$ ET2 $\rightarrow$ Finish(Ev1,Ev2)
Finish(A,B), $\operatorname{Finish}(B, C) \rightarrow \operatorname{Finish}(A, C)$
Finish $(A, B) \rightarrow$ Finish $(B, A)$
Equal(A,B), Finish(B,C) $\rightarrow$ Finish(A,C)

### 3.5.6 Algorithm for Finding Meet Relation

Prototype : meet $(E v 1, E v 2)$. This predicate is true if ending time of event 1 and beginning time of event 2 are equal. The meet relation can be derived on the comparison of BT and ET of two events as :

If ET1 $=\mathrm{BT} 2 \rightarrow \operatorname{Meet}(\mathrm{Ev} 1, \mathrm{Ev} 2)$
Equal(A,C), $\operatorname{Meet}(A, B) \rightarrow \operatorname{Meet}(C, B)$
$\operatorname{Equal}(\mathrm{B}, \mathrm{C}), \operatorname{Meet}(\mathrm{A}, \mathrm{B}) \rightarrow \operatorname{Meet}(\mathrm{A}, \mathrm{C})$
Finish(A,C), Meet(A,B) $\rightarrow \operatorname{Meet}(\mathrm{C}, \mathrm{B})$
$\operatorname{Meet}(A, B), \operatorname{Start}(B, C) \rightarrow \operatorname{Meet}(A, C)$

### 3.5.7 Algorithm for Finding Overlap Relation

Prototype : overlap $(E v 1, E v 2)$. This predicate is true if event 1 occurred before event 2 and they overlap. The overlap relation can be derived on the comparison of BT and ET of two events as :

If $\mathrm{BT} 1<\mathrm{BT} 2$ and $\mathrm{BT} 2<\mathrm{ET} 1<\mathrm{ET} 2 \rightarrow$ Overlap(Ev1,Ev2)
Equal(A,B), Overlap(B,C) $\rightarrow$ Overlap $(A, C)$
Equal(A,C), Overlap(B,C) $\rightarrow$ Overlap $(B, A)$

### 3.5.8 Algorithm for Finding Start Relation

Prototype : $\operatorname{start}(E v 1, E v 2)$. This predicate is true if event 1 started at the same time of event 2. The start relation can be derived on the comparison of BT and ET of two events, or form the transitive property of start, or backward property as :

$$
\begin{aligned}
& \text { If BT1 }=\text { BT2 } \rightarrow \text { Start(Ev1,Ev2) } \\
& \operatorname{Start}(A, B), \operatorname{Start}(B, C) \rightarrow \operatorname{Start}(A, C) \\
& \operatorname{Start}(A, B) \rightarrow \operatorname{Start}(B, A) \\
& \operatorname{Equal}(A, B), \operatorname{Start}(B, C) \rightarrow \operatorname{Start}(A, C)
\end{aligned}
$$

### 3.5.9 Algorithm for Finding the Topology Order

Prototype : topology(Order). The topology order of events can be obtained through the following step :

1) Find all before relations (before(Ev1,Ev2)) and store them.
2) Count the member of incoming edges for each event. The number of incoming edges is the number of events occurring before the specified event.
3) Find event whose the number of incoming edge equal to 0 and put it to order.
4) Put the first list to the result.
5) Find the relation before $(X, Y)$ and put $Y$ to the order of result.
6) Repeat step (5) until no relation that match before $(X, Y)$.
7) Repeat (4) to (6) with the next list until empty list.

## CHAPTER 4

## TEMPORAL KNOWLEDGE PROGRAM

This chapter presents the features of the temporal knowledge process program that has been developed. The process how to input, how to infer and how to query the temporal knowledge will be given in detail, through some examples.

### 4.1 TEMPORAL KNOWLEDGE PROCESS

Temporal knowledge process have the following steps :

1. Input knowledge into CG.
2. Find topological order, temporal relation and time by Prolog program.
3. Display temporal relation and CG by Visual Basic program.

### 4.2 HOW TO INPUT THE KNOWLEDGE

We can input the knowledge into the application 2 ways
4.2.1 Input Obtained from Temporal Knowledge Program (Written in Visual Basic)

The menu of the CG program in Visual Basic program is given in Fig 4.1.


Figure 4.1 : Temporal Knowledge's Menu.

The functions of menu items are explained as follow :
a) Application Menu


Figure 4.2: Application Menu.

- New : create new application.
- Open : open the existing application. The existing application will be displayed as in Fig 4.3.
- Save As Text File : save application in text file format.
- Delete : delete the application.
- Exit : exit the program.


Figure 4.3 : Open Application Dialog Box.
b) Edit Menu


Figure 4.4 : Edit Menu.

- Edit Conceptual Relation

When you selected this command, it will show in Fig 4.5.


Figure 4.5 : Edit Conceptual Relation.

Mouse is used to select relation. After that you select the following command button.
$\rightarrow$ Add New Button : for adding the new relation to the application. After that, it will show the blank form for input the event_name, concept_type_1, individual_name_1, relation, concept_type_2, individual_name_2, begin_date, begin_time, end_date, end_time; duration_date and duration_time as shown in Fig 4.6.
$\rightarrow$ Edit Button : for modify any attributes about concept such as concept type, relation, and individual name. The old information is displayed, and we can correct it.
$\rightarrow$ Delete Button : for deleting the relation from application. It will show detail about concept type, relation, and individual name.

Exit Button : for leaving the relation submenu, and go back to the main menu.


Figure 4.6 : Add New Relation Form.

## - Temporal Relation

When this submenu is selected, it will show the temporal relationship between Conceptual relations, for example as in Fig 4.7.


Figure 4.7 : Temporal Relation Form.

You click mouse to data control for select temporal relation. After that you select the following command button.
$\rightarrow$ Add New Button: append new temporal relation.
$\rightarrow$ Edit Button : edit temporal relation.
$\hookrightarrow$ Delete Button : delete temporal relation.
$\rightarrow$ Exit Button : stop doing the temporal relation command, and go back to main menu.

### 4.2.2 Input from Text File

The temporal knowledge can be specified in the following forms.
a) event(Event_Name, bt(Year, Month, Day, Hour, Minute), et(Year, Month, Day, Hour,Minute), dt(Year,Month,Day,Hour,Minute)).

The explicit value with specified explicitly. The unknown value will be given as a variable. For example if we know BT and DT of "have_lunch", it can be written as
"event(have_lunch, $\operatorname{bt}(1998,5,20,12,00)$, A, dt( $0,0,0,1,30)$ )", where A is a variable of ET , this means that ET is unknown.
b) after_of(Event_1, Event_2). : "Event_1" occurred after "Event_2".
c) before_of(Event_1, Event_2). : "Event_1" happened before "Event_2".
d) during_of(Event_1, Event_2). : "Event_l" happened during the time of "Event_2".
e) equal_of(Event_1, Event_2). : time of "Event_1" equal the time of "Event_2".
f) finish_of(Event_1, Event_2). : "Event_1" finished at the same time of "Event_2".
g) meet_of(Event_1, Event_2). : "Event_2" meet "Event_1".
h) overlap_of(Event_1, Event_2). : "Event_1" overlap with "Event_2".
i) start_of(Event_1, Event_2). : "Event_1" start at the same time of "Event_2".

Example 4.1 Suppose that we have the following story:
"On March 14,1997, Mary went swimming in the early morning at YMCA club and she finished swimming at 8.00 . After that she had breakfast at the club. While she were having breakfast, she met her friend, John. They had a talk about business until 9.00. After that Mary went home. On the way to home, she filled gas at the petrol station. She arrived home at 10.00 .

It can be shown in the following diagram :


We can translate to table as :

## CONCEPTUAL TABLE:

| TYPE | INDIVIDUAL |
| :--- | :--- |
| Person | John |
| Person | Mary |
| Place | Petrol Station |
| Place | YMCA |
| Place | Home |

ACTION TABLE :

| FROM | ACTION | TO | EVENT |
| :--- | :--- | :--- | :--- |
| Mary | Swim | YMCA | Swimming |
| Mary | Have_breakfast | YMCA. | Breakfast |
| Mary | Meet_friend si | John | Meeting |
| Mary | Talk_business | John_@ | Talking |
| Mary | Go | Home | Going_home |
| Mary | Fill_gas | Petrol_station | Filling |

## TEMPORAL RELATION TABLE:

| TYPE | EVENT_1 | EVENT_2 |
| :--- | :--- | :--- |
| Meet | Swimming | Breakfast |
| Finish | Breakfast | Meeting |
| Finish | Breakfast | Talking |
| During | Talking | Breakfast |
| During | Meeting | Breakfast |
| Meet | Breakfast | Going_home |
| During | Filling | Going_home |

TIME TABLE :

| EVENT | BT | ET | DT |
| :--- | :---: | :---: | :---: |
| Swimming | - | Mar 14,1997 (08.00) | - |
| Breakfast | - | Mar 14,1997(09.00) | - |
| Meeting | - | Mar 14,1997(09.00) | - |
| Talking | - | Mar 14,1997(09.00) | - |
| Going_home | - | Mar 14,1997(10.00) | - |

Finally, it can be converted to the following facts :
event(swimming, A, et(1997,03,14,08,00), C).
event(breakfast, A, et (1997,03,14,09,00), C).
event(meeting, A, et $(1997,03,14,09,00), \mathrm{C})$.
event(talking, A, et(1997,03,14,09,00), C).
event(going_home, A, et(1997,03,14,10,00), C).
event(filling, A, B, C).
meet_of(swimming, breakfast).
finish_of(breakfast, meeting).
finish_of(breakfast, talking).
during_of(talking, breakfast).
during_of(meeting, breakfast).
meet_of(breakfast, going_home).
during_of(filling, going_home).
concept(person, mary).
concept(place, ymca).
concept(person, john).
concept(place, home).
concept(place, petrol_station).
action([mary],[swim],[ymca],swimming).
action([mary],[have_breakfast],[ymca],breakfast).
action([mary],[meet_friend],[john],meeting).
action([mary],[talk_business],[john],talking).
action([mary],[go],[home],going_home).
action([mary],[fill_gas],[petrol_station],filling).


### 4.3 HOW TO QUERY THE TEMPORAL KNOWLEDGE

### 4.3.1 Query from Prolog Program

Main Menu

| A - Display All Events |
| :--- |
| B - Display All Concept Types |
| C - Display All Before Relation |
| D - Display All During Relation |
| E - Display All Equal Relation |
| F - Display All Finish Relation |
| G - Display All Meet Relation |
| H - Display All Overlap Relation |
| I - Display All Start Relation |
| J - Find Events After Given Event |
| K - Find Events Before Given Event |
| L - Find Time \& Concept of an Event |
| M - Find Topological Order |
| 0 - Exit |
| Input choice .......... |
| \& $\quad$ |

Figure 4.8 : Prolog Program's Menu.

For the temporal knowledge given in Example 4.1, we can have the following queries:
A) Display all Events

Event $=$ [filling, going_home, talking, meeting, breakfast, swimming $]$
B) Display all Concept Types.

Concept Type $=$ [person, place] place : [petrol_station, home, ymca]
person : [john, mary]
C) Display All Before Relations
[before(breakfast, going_home), before(swimming, breakfast), before(swimming, going_home), before(meeting, going_home), before(talking, going_home), before(breakfast, filling), before(swimming, filling), before(meeting, filling), before(talking, filling), before(swimming, meeting), before(swimming, talking)]
D) Display All During Relations [during(filling, going_home), during(meeting, breakfast), during(talking, breakfast)] $E R S$
E) Display All Equal Relations []
F) Display All Finish Relations
[finish(talking, breakfast), finish(meeting, breakfast), finish(breakfast, talking), finish(breakfast, meeting)]
G)Display All Meet Relations
[meet(talking, going_home), meet(meeting, going_home), meet(breakfast, going_home), meet(swimming, breakfast)]

## H)Display All Overlap Relations

[]
I) Display All Start Relations
[]
J) Find Events After a Given Event

Input event name : meeting.
Event after event "meeting" is [going_home, filling]
K) Find Events before a given Event

Input event name : meeting.
Event before meeting is [swimming]
L) Find Time \& Concept of Event

Input event name : meeting.
[mary] [meet_friend] [john]
Begin time before $=\Rightarrow 1997 / 3 / 14$ 9:0

$$
\text { after }=\Rightarrow 1997 / 3 / 14 \quad 8: 0
$$

End time equal $==>$ 1997/3/14 9:0
M) Find Topological Orders

Topological $=$ [ [swimming,breakfast,going_home],
[swimming,breakfast,filling],
[swimming,meeting,going_home],
[swimming,meeting,filling],
[swimming,talking,going_home],
[swimming,talking,filling]]

### 4.3.2 Ouery from Visual Basic Program



Figure 4.9 : Query Menu.
a) Event submenu

When you select this menu item, it will show the form as in Fig 4.10.


Figure 4.10 : Query Event Item.
b) Temporal Relation

From topology graph, you can find the CG of events by clicking at it's node.


Figure 4.11 : Topology Graph.

## CHAPTER 5

## CONCLUSION AND RECOMMENDATION

### 5.1 CONCLUSION

The following topics on temporal knowledge based on CG have been studied:

1. Mapping the sentence to CG: It composes of rules, type of references, mapping aspects, hierarchical links, canonical formation, maximal join and type hierarchy.
2. Temporal knowledge such as time intervals, temporal objects, temporal relations, and temporal logic: Temporal relation is relation between two temporal objects. Each temporal object can be associated with a time interval.

After that the following topics have been proposed and developed:

1. Mapping the sentence with the temporal knowledge to CG: It shows how to decompose the sentence into subclauses, change each subclause to CG and map to temporal object, and make temporal relations between them.
2. Mapping CG to tables of relation database: This helps to input knowledge to the system easily.
3. Mapping tables to calculus predicates.
4. Temporal knowledge inference engine: Allows us to infer time, temporal relations between events, as well as topological order. This inference engine is written in Prolog.
5. An interface program: A Visual Basic program for input, edit, delete and display temporal knowledge for facilitating the interaction between user and system. This program also displays temporal relations and CGs in graphical mode.

A mapping from sentence to calculus predicate has been studied, the process includes three steps, mapping a sentence to CG, then from CG to tables and finally to predicates. Which the final form, it allows us to make the inference and easily to check the consistency of the system as well as to guarantee constraints, which are set by user.

### 5.2 RECOMMENDATION

In addition, the demonstration system of temporal knowledge has been developed. It is useful for querying the temporal knowledge such as time of event, temporal relation between events and the topological orders between events. The approaches followed in this study could be adapted to construct a larger temporal knowledge system. Future enhancement to the temporal knowledge system can be developed and listed as follows :

1. It may be difficult to map data in precise form automatically. For example mapping the sentence to CG form automatically can be done by using parsing technique to analyze the structure of the sentence and then map them to CG. The mapping form sentence to $C G$ could be done automatically if an extensive knowledge base is used.
2. In practice, the number of temporal relations can be reduced to three main temporal relations with the following modifications:
2.1 $\operatorname{BEFORE}(\mathrm{X}, \mathrm{Y})$ if $\mathrm{ET}(\mathrm{X}) \leq \mathrm{BT}(\mathrm{Y})$. In this case the meet relation can be considered as a special case of before where $\mathrm{ET}(\mathrm{X})=\mathrm{BT}(\mathrm{Y})$.
2.2 $\operatorname{DURING}(\mathrm{X}, \mathrm{Y})$ if $\mathrm{BT}(\mathrm{Y}) \leq \mathrm{BT}(\mathrm{X}) \leq \mathrm{ET}(\mathrm{X}) \leq \mathrm{ET}(\mathrm{Y})$ then EQUAL( $\mathrm{X}, \mathrm{Y}$ ) is a special case of during where $\mathrm{BT}(\mathrm{Y})=\mathrm{BT}(\mathrm{X}) \leq \mathrm{ET}(\mathrm{X})=\mathrm{ET}(\mathrm{Y})$.
2.3 OVERLAP $(\mathrm{X}, \mathrm{Y})$ if $\mathrm{BT}(\mathrm{X}) \leq \mathrm{BT}(\mathrm{Y}) \leq \mathrm{ET}(\mathrm{X}) \leq \mathrm{ET}(\mathrm{Y})$ then $\operatorname{FINISH}(\mathrm{X}, \mathrm{Y})$ is a special case of overlap where $\mathrm{ET}(\mathrm{X})=\mathrm{ET}(\mathrm{Y})$; and $\operatorname{START}(\mathrm{X}, \mathrm{Y})$ is also a special case of overlap where $\mathrm{BT}(\mathrm{X})=\mathrm{ET}(\mathrm{Y})$.
Other six inverse relations can be represented by arranging the order of parameters, for example, $\operatorname{AFTER}(X, Y) \equiv \operatorname{BEFORE}(X, Y)$. Such extension helps to reduce the number of rules for inferring the temporal knowledge enumerously.

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## APPENDIX A

## RULE FOR REASONING TIME

$\operatorname{Time}(\mathrm{X}, \mathrm{T} 1, \mathrm{~T} 2$, unknown $) \rightarrow \operatorname{Time}(\mathrm{X}, \mathrm{T} 1, \mathrm{~T} 2, \mathrm{~T} 2-\mathrm{T} 1)$
$\operatorname{Time}(X, T 1$, unknown, $T 3) \rightarrow \operatorname{Time}(X, T 1, T 1+T 3, T 3)$
Time (X, unknown, T2, T3) $\rightarrow$ Time (X, T2-T3, T2, T3)
\% Before(Event_1, Event_2) \%
Before (X, Y) $\rightarrow \operatorname{After}(\mathrm{Y}, \mathrm{X})$

$\operatorname{Before}(X, Y) \wedge \operatorname{Time}\left(Y, T 3\right.$, unknown,_) $\rightarrow \operatorname{Time}\left(Y, T 3, T 3, \_\right)$
$\operatorname{Before}(X, Y) \wedge \operatorname{Time}\left(X, \quad, T 2, \_\right) \wedge \operatorname{Time}(Y$, unknown, unknown, _) $\rightarrow$ Time ( $\mathrm{Y}, \mathrm{T} 2, \mathrm{~T} 2, \ldots$ )
$\operatorname{Before}(X, Y) \wedge \operatorname{Time}(X$, unknown, T2, _) $\rightarrow \operatorname{Time}(X, T 2, T 2, ~$ )
$\operatorname{Before}(X, Y) \wedge \operatorname{Time}(X, T 1$, unknown, _ $) \wedge \operatorname{Time}(Y$, unknown, _, _) $\rightarrow$ Time ( $\mathrm{X}, \mathrm{T} 1, \mathrm{~T} 1,1$ )
 \% Overlap(Event_1, Event_2) \%

Overlap $(X, Y) \wedge \operatorname{Time}(X, \ldots$ unknown, $) \wedge \operatorname{Time}(Y, \ldots, T 2, \ldots) \rightarrow \operatorname{Time}(X, \ldots, T 2, \ldots)$

$\left.\operatorname{Overlap}(X, Y) \wedge \operatorname{Time}(X, T 2, \ldots,)^{\prime}\right) \wedge \operatorname{Time}(Y$, unknown, _, _) $\rightarrow \operatorname{Time}(Y, T 2, ~, ~ „)$
$\operatorname{Overlap}(X, Y) \wedge \operatorname{Time}\left(X, \quad, T 2, \_\right) \wedge \operatorname{Time}\left(Y, ~, ~ u n k n o w n, ~ \_\right) ~ \rightarrow \operatorname{Time}\left(Y, ~, ~ T 2, ~ \_\right) ~$
\% During(Event_1, Event_2) \%
$\operatorname{During}(X, Y) \wedge \operatorname{Time}\left(X, T 2, \ldots, \_\right) \wedge \operatorname{Time}\left(Y\right.$, unknown,,$\left.~ \_\right) ~ \rightarrow \operatorname{Time}(Y, T 2, ~, ~, ~) ~$
$\operatorname{During}(X, Y) \wedge \operatorname{Time}\left(X, \ldots, T 2, \_\right) \wedge \operatorname{Time}(Y, \ldots$, unknown, $) \rightarrow \operatorname{Time}\left(Y, \ldots, T 2, \_\right)$

$\operatorname{During}(X, Y) \wedge \operatorname{Time}\left(X\right.$, unknown, _, _) $\wedge \operatorname{Time}\left(Y, T 2, \ldots,{ }_{-}\right) \rightarrow \operatorname{Time}(X, T 2, \ldots, \ldots)$

## APPENDIX B

## LISTING OF PROLOG PROGRAM

```
%
before(X,Y) :- after_of(Y,X).
before(X,Y) :- before_of(X,Y).
before(X,Y) :- before_of(X,Z), before(Z,Y).
before(A,B) :- during(B,C), before(A,C).
before(B,A) :- during(B,C), before(C,A).
before(A,C) :- equal(B,C), before_of(A,B).
before(C,B) :- equal(A,C), before_of(A,B).
before(C,B) :- finish(A,C), before_of(A,B).
before(A,C) :- start(B,C), before_of(A,B).
before(A,C) :- overlap(B,C), before(A,B).
before(C,B) :- overlap(C,A), before(A,B).
before(A,C) :- meet(A,B), meet_of(B,C).
before(A,C) :- meet(A,B), before_of(B,C).
before(C,B) :- meet(A,B), before_of(C,A).
before(A,C) :- during(C,B), meet(A,B).
before(C,B) :- during(C,A), meet(A,B).
before(A,C) :- meet(A,B), overlap(B,C).
before(C,B) :- meet(A,B), overlap(C,A).
before(X,Y) :- meet(X,Y).
during(X,Y) :- during_of(X,Y).
during(X,Y) :- during_of(X,Z), during(Z,Y).
during(C,B) :- equal(A,C), during_of(A,B).
during(A,C) :- equal(B,C), during_of(A,B).
```

```
equal(X,Y) :- equal_of(X,Y).
equal(Y,X) :- equal_of(X,Y).
equal(X,Y) :- equal_of(X,Z), equal(Z,Y), not(X=Y).
equal(X,Y) :- finish_of(X,Y), start_of(X,Y).
finish(A,B) :- finish_of(A,B).
finish(A,B) :- finish_of(B,A).
finish(A,B) :- finish_of(A,C), finish(C,B), not(A=B).
finish(A,B) :- equal_of(A,B).
meet(A,B) :- meet_of(A,B).
meet(C,B) :- equal(A,C), meet_of(A,B).
meet(A,C) :- equal(B,C), meet_of(A,B).
meet(C,B) :- finish(A,C), meet_of(A,B).
meet(A,C) :- start(B,C), meet_of(A,B).
overlap(A,B) :- overlap_of(A,B).
overlap(A,C) :- equal(A,B), overlap_of(B,C).
overlap(B,A) :- equal(A,C), overlap_of(B,C).
start(A,B) :- start_of(A,B).
start(B,A) :- start_of(A,B).
start(A,B) :- start_of(A,C), start(C,B), not(A=B).
start(A,B) :- equal_of(A,B).
check(A,B,Mn,R):- A < B,Mn is A,R is 0.
check(A,B,Mn,R):- A>= B,Mn is A-B,R is 1.
less(A,B,C,D,E, F,G,H,I,J) :- A < F, !.
less(A,B,C,D,E, F,G,H,I,J) :- A = F, B < G, !.
less(A,B,C,D,E, F,G,H,I,J) :- A = F, B = G, C < H, !.
less(A,B,C,D,E, F,G,H,I,J) :- A = F, B = G, C = H, D < I, !.
less(A,B,C,D,E, F,G,H,I,J) :- A = F, B = G, C = H,D = I, E < J,!.
more(A,B,C,D,E, F,G,H,I,J) :- A > F, !.
more(A,B,C,D,E, F,G,H,I,J) :- A = F, B > G, !.
more(A,B,C,D,E, F,G,H,I,J):- A = F, B = G, C > H, !.
more(A,B,C,D,E, F,G,H,I,J) :- A = F, B = G, C = H, D > I, !.
```

$\operatorname{more}(\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{F}, \mathrm{G}, \mathrm{H}, \mathrm{I}, \mathrm{J}):-\mathrm{A}=\mathrm{F}, \mathrm{B}=\mathrm{G}, \mathrm{C}=\mathrm{H}, \mathrm{D}=\mathrm{I}, \mathrm{E}>\mathrm{J},!$.
show(Relation, $\mathrm{Yr}, \mathrm{Mo}, \mathrm{Da}, \mathrm{Hr}, \mathrm{Mn})$ :- $\mathrm{Yr}>-1, \mathrm{Yr}<9999$, nonvar(Yr), write(Relation), write(' $==>$ '), write(Yr), write('/'), write(Mo), write('/'), write(Da), write(' '), write(Hr), write(':'), write(Mn), nl.
$\operatorname{not}(\mathrm{P}):-\mathrm{P}$, !, fail.
$\operatorname{not}\left(\_\right)$.
append([],L,L).
append([H|T1],L2,[H|T]) :- $\operatorname{append(T1,L2,T).~}$
delete ( $\mathrm{X},[\mathrm{Y} \mid \mathrm{T}], \mathrm{R}$ ) :- $\mathrm{X}=\mathrm{Y}$, $\operatorname{delete}(\mathrm{X}, \mathrm{T}, \mathrm{R})$.
delete( $\mathrm{X},[\mathrm{Y} \mid \mathrm{T}],[\mathrm{Y} \mid \mathrm{R}]):-\operatorname{not}(\mathrm{X}=\mathrm{Y})$, delete(X,T,R).
delete (X,[],[]).
delete1(be(X,_),[be(X,_)IT],R) :- deletel(be(X,_),T,R).
deletel(be(X,_),[be(A,B)IT],[be(A,B)|R]):- $\operatorname{not}(X=A)$, delete1(be(X,_),T,R).
deletel(be(X,Y),[],[]).
cut_duplicate([XIY],L) :- member(X,Y), cut_duplicate(Y,L).
cut_duplicate([XIY],[XIL]) :- not(member(X,Y)), cut_duplicate(Y,L).
cut_duplicate([],[]).
subset $1([X I Y], R):-\operatorname{subset} 2(X, Y, Y, R)$.
subset1([],[]).
subset2(X,[YIZ],L,R) :- $\operatorname{subset}(X, Y)$, subset $1(L, R)$.
subset2(X,[YIZ],L,R) :- not(subset(X,Y)), subset2(X,Z,L,R).
subset2(X,[],L,[XIR]) :- subset1(L,R).
subset([],L).
$\operatorname{subset}([\mathrm{XIY}], \mathrm{Z}):-\operatorname{member}(\mathrm{X}, \mathrm{Z}), \operatorname{subset}(\mathrm{Y}, \mathrm{Z})$.
member(X,[XI_]).
member(X,[Y|Z]) :- member(X,Z).
$\operatorname{setof}(X, G, L):-\operatorname{assert}(\operatorname{ans}([])), G$, once(retract(ans(L))), assert(ans([XIL])), fail.
$\operatorname{setof}(\ldots, \ldots, \mathrm{L}):-\operatorname{retract}(\operatorname{ans}(\mathrm{L}))$.
once $(\mathrm{P}):-\mathrm{P}$, !.
\% find best time for equal best_time2([t(S2,Yr2,Mo2,Da2,Hr2,Mn2)|L]) :- $\quad \mathrm{S} 2=2$, show(' equal ' ,Yr2,Mo2,Da2,Hr2,Mn2), nl, best_time2([]).
best_time2([t(S2,Yr2,Mo2,Da2,Hr2,Mn2)IL]) :- $\quad \operatorname{not}(\mathrm{S} 2=2)$, best_time2(L).
best_time2([]).
\% find best time for less than
best_timel([t(S2,Yr2,Mo2,Da2,Hr2,Mn2)|L],t(Yr1,Mo1,Da1,Hr1,Mn1)) :- S2 = 1, less(Yr2,Mo2,Da2,Hr2,Mn2, Yr1,Mo1,Da1,Hr1,Mn1), best_timel(L,t(Yr2,Mo2,Da2,Hr2,Mn2)).
best_timel([t(S2,Yr2,Mo2,Da2,Hr2,Mn2)|L],t(Yrl,Mol,Dal,Hr1,Mn1)) :- $\mathrm{S} 2=1$, not(less(Yr2,Mo2,Da2,Hr2,Mn2, Yrl,Mo1,Da1,Hr1,Mn1)), best_time1(L,t(Yrl,Mol,Da1,Hr1,Mn1)).
best_timel([t(S2,_,_,,,_,_) LL$], \mathrm{t}(\mathrm{Yr} 1, \mathrm{Mol}, \mathrm{Da} 1, \mathrm{Hr} 1, \mathrm{Mn} 1)):-\mathrm{S} 2=3$, best_timel(L,t(Yrl,Mol,Da1,Hr1,Mn1)).
best_timel([t(S2,_,,,,$\ldots)[L], \ldots):-\mathrm{S} 2=2$.
best_timel([],t(Yrl,Mo1,Da1,Hr1,Mn1)) :- show(' before ',Yr1,Mo1,Dal,Hrl,Mn1), nl.
\% find best time for more than

```
best_time3([t(S2,Yr2,Mo2,Da2,Hr2,Mn2)IL],t(Yr1,Mo1,Da1,Hrl,Mn1)) :- S2 = 3,
    more(Yr2,Mo2,Da2,Hr2,Mn2,Yr1,Mo1,Da1,Hr1,Mn1),
    best_time3(L,t(Yr2,Mo2,Da2,Hr2,Mn2)).
best_time3([t(S2,Yr2,Mo2,Da2,Hr2,Mn2)LL],t(Yr1,Mo1,Da1,Hr1,Mn1)) :- S2 = 3,
    not(more(Yr2,Mo2,Da2,Hr2,Mn2, Yr1,Mo1,Da1,Hr1,Mn1)),
    best_time3(L,t(Yr1,Mo1,Da1,Hr1,Mn1)).
best_time3([t(S2,_,_,,_,_)LL],t(Yr1,Mo1,Da1,Hr1,Mn1)) :- S2 = 1,
    best_time3(L,t(Yr1,Mo1,Da1,Hr1,Mn1)).
best_time3([t(S2,_,_,_,_))LL],_) :- S2 = 2.
best_time3([],t(Yr1,Mo1,Da1,Hrl,Mn1)) :- show(' after ',Yrl,Mo1,Da1,Hrl,Mn1), nl.
```

\% know begin time, end time, find duration time time(X) :- event(X,bt(Yr1,Mo1,Da1,Hr1,Mn1),et(Yr2,Mo2,Da2,Hr2,Mn2),dt
(Yr,Mo,Da, $\mathrm{Hr}, \mathrm{Mn}$ )), nonvar(Yr1), nonvar(Yr2), $\operatorname{var(Yr),~}$
Yr3 is Yr2-1-Yr1, Mo3 is Mo2 + $11-\mathrm{Mol}$,
Da 3 is $\mathrm{Da} 2+29-\mathrm{Da} 1, \quad \mathrm{Hr} 3$ is $\mathrm{Hr} 2+23-\mathrm{Hr} 1$,
Mn 3 is $\mathrm{Mn} 2+60-\mathrm{Mn} 1, \quad \operatorname{check}(\mathrm{Mn} 3,60, \mathrm{Mn}, \mathrm{R})$,
$\operatorname{check}(\mathrm{Hr} 3+\mathrm{R}, 24, \mathrm{Hr}, \mathrm{S}), \quad \operatorname{check}(\mathrm{Da} 3+\mathrm{S}, 30, \mathrm{Da}, \mathrm{T})$,
check(Mo3+T,12,Mo,U), Yr is Yr3 + U,
show('Begin time ',Yrl,Mol,Da1,Hrl,Mn1),
show('End time ',Yr2,Mo2,Da2,Hr2,Mn2),
show('Duration ',Yr,Mo,Da,Hr,Mn),!.
\% know begin time, duration time, find end time time(X) :- event(X,bt(Yr1,Mo1,Da1,Hr1,Mn1),et(Yr,Mo,Da,Hr,Mn),dt (Yr2,Mo2,Da2,Hr2,Mn2)), nonvar(Yr1), nonvar(Yr2), var(Yr), Mn 3 is $\mathrm{Mn} 1+\mathrm{Mn} 2, \quad \operatorname{check}(\mathrm{Mn} 3,60, \mathrm{Mn}, \mathrm{R})$,

Hr 3 is $\mathrm{Hr} 1+\mathrm{Hr} 2+\mathrm{R}, \quad \operatorname{check}(\mathrm{Hr} 3,24, \mathrm{Hr}, \mathrm{S})$,
Da 3 is $\mathrm{Da} 1+\mathrm{Da} 2+\mathrm{S}, \quad \operatorname{check}(\mathrm{Da} 3,30, \mathrm{Da}, \mathrm{T})$,
Mo 3 is $\mathrm{Mol}+\mathrm{Mo} 2+\mathrm{T}, \quad \operatorname{check}(\mathrm{Mo3}, 12, \mathrm{Mo}, \mathrm{U})$,
Yr is $\mathrm{Yrl}+\mathrm{Yr} 2+\mathrm{U}$,
show('Begin time ',Yrl,Mo1,Da1,Hr1,Mn1),
show('End time ',Yr,Mo,Da,Hr,Mn),
show('Duration ',Yr2,Mo2,Da2,Hr2,Mn2),!.
\% know end time, duration time, find begin time time(X) :- event(X,bt(Yr,Mo,Da,Hr,Mn),et(Yr2,Mo2,Da2,Hr2,Mn2),dt (Yr1,Mo1,Da1,Hr1,Mn1)), nonvar(Yr1), nonvar(Yr2), var(Yr), Yr3 is $\mathrm{Yr} 2-1-\mathrm{Yr}, \mathrm{Mo} 3$ is $\mathrm{Mo} 2+11-\mathrm{Mo}$,

Da 3 is $\mathrm{Da} 2+29-\mathrm{Da} 1, \quad \mathrm{Hr} 3$ is $\mathrm{Hr} 2+23-\mathrm{Hr} 1$,
Mn 3 is $\mathrm{Mn} 2+60-\mathrm{Mn} 1, \quad \operatorname{check}(\mathrm{Mn} 3,60, \mathrm{Mn}, \mathrm{R})$,
check $(\mathrm{Hr} 3+\mathrm{R}, 24, \mathrm{Hr}, \mathrm{S}), \quad \operatorname{check}(\mathrm{Da} 3+\mathrm{S}, 30, \mathrm{Da}, \mathrm{T})$,
check $(\mathrm{Mo} 3+\mathrm{T}, 12, \mathrm{Mo}, \mathrm{U}), \quad \mathrm{Yr}$ is $\mathrm{Yr} 3+\mathrm{U}$,
show('Begin time ',Yr,Mo,Da,Hr,Mn), show('End time ',Yr2,Mo2,Da2,Hr2,Mn2), show('Duration ',Yr1,Mo1,Da1,Hr1,Mn1),!.
\% know end time, find begin time time(X) :- event(X,bt(Yrl,Mol,Dal,Hrl,Mn1),et(Yr2,Mo2,Da2,Hr2,Mn2),_), $\operatorname{var}(\mathrm{Yr} 1)$, nonvar(Yr2), setof(t(S,Yr,Mo,Da,Hr,Mn), timel(X,bt(S,Yr,Mo,Da,Hr,Mn)), L), write(' Begin time '), best_time2(L), best_time1(L,t(Yr2,Mo2,Da2,Hr2,Mn2)), best_time3(L,t(0,0,0,0,0)), write(' End time '), show(' equal ',Yr2,Mo2,Da2,Hr2,Mn2),nl,!. \% know begin time, find end time time(X) :- event(X,bt(Yrl,Mo1,Da1,Hr1,Mn1),et(Yr2,Mo2,Da2,Hr2,Mn2),_), nonvar(Yr1), var(Yr2), setof(t(S,Yr,Mo,Da,Hr,Mn), timel(X,et(S,Yr,Mo,Da,Hr,Mn)), L),
write(' Begin time '), show(' equal ',Yrl,Mol,Da1,Hrl,Mn1),nl,
write(' End time '), best_time2(L),
best_timel(L,t(9999,99,99,99,99)),
best_time3(L,t(Yrl,Mo1,Da1,Hr1,Mn1)),!.
\% find begin time, end time
time(X) :- event(X,bt(Yrl,Mol,Da1,Hr1,Mn1),et(Yr2,Mo2,Da2,Hr2,Mn2),_),
$\operatorname{var}(\mathrm{Yr} 1), \operatorname{var}(\mathrm{Yr} 2)$, setof(t(S,Yr,Mo,Da,Hr,Mn),
timel(X,bt(S,Yr,Mo,Da,Hr,Mn)), L),
setof(t(S, Yr,Mo,Da,Hr,Mn), timel(X,et(S,Yr,Mo,Da,Hr,Mn)), M),
write(' Begin time '), best_time2(L),
best_timel(L,t(9999,99,99,99,99)),
best_time3(L,t(0,0,0,0,0)),
write(' End time '), best_time2(M),
best_timel(M,t(9999,99,99,99,99)),
best_time3(M,t(0,0,0,0,0)),!.
\% know end time find begin time
timel(X,bt(Sl,Yrl,Mo1,Dal,Hrl,Mn1)) :- event(X,bt(Yr3,_,_,_,),et
(Yr4,Mo4,Da4,Hr4,Mn4),_), nonvar(Yr4), var(Yr3), S 1 is $1, \mathrm{Yrl}$ is $\mathrm{Yr} 4, \mathrm{Mol}$ is $\mathrm{Mo4}$, Dal is $\mathrm{Da} 4, \mathrm{Hr} 1$ is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn 4 .
\% after
time1(X,bt(S1,Yr1,Mol,Dal,Hr1,Mn1)) :- before(Y,X), event(Y,bt(Yr3,Mo3,Da3,Hr3,Mn3),et(Yr4,_,_,,_),_), event(X,bt(Yr5,_,_,_,),_,_), nonvar(Yr3), $\operatorname{var}(\mathrm{Yr} 4), \operatorname{var}(\mathrm{Yr} 5)$, S 1 is 3, Yrl is $\mathrm{Yr} 3, \mathrm{Mol}$ is Mo 3 , Da 1 is $\mathrm{Da} 3, \mathrm{Hr} 1$ is $\mathrm{Hr} 3, \mathrm{Mn} 1$ is Mn 3 .
\% after
timel(X,bt(S1,Yr1,Mol,Dal,Hr1,Mn1)) :- before(Y,X), event(Y,_et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,bt(Yr5,_,,,,_),,,_), nonvar(Yr4), var(Yr5),
S 1 is 3, Yr 1 is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is Mo4, Dal is $\mathrm{Da} 4, \mathrm{Hr} 1$ is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn4.
\% before
time1(X,bt(Sl,Yrl,Mol,Dal,Hr1,Mn1)) :- before(X,Y),
event(Y,bt(Yr3,_,,,,_),et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,bt(Yr5,_,,_,_),_, ), var(Yr3), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,
S1 is $1, \mathrm{Yr} 1$ is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is Mo4, Da1 is Da4, Hrl is Hr4, Mn1 is Mn4.
\% before
timel(X,bt(S1,Yr1,Mo1,Da1,Hr1,Mn1)) :- before(X,Y),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,bt(Yr5,_,_,_,_),_,_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,
S 1 is $1, \mathrm{Yr} 1$ is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is Mo4, Da1 is Da4, Hr1 is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn4.
\% during
timel(X,bt(S1,Yrl,Mo1,Da1,Hr1,Mn1)) :- during(X,Y),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,bt(Yr5,_,_,_,_),_,_), nonvar(Yr4), var(Yr5),
S 1 is 3, Yr 1 is $\mathrm{Yr} 4, \mathrm{Mo}$ is $\mathrm{Mo4}, \mathrm{Da1} \mathrm{is} \mathrm{Da4,Hr1} \mathrm{is} \mathrm{Hr4,Mn1} \mathrm{is} \mathrm{Mn4}$.
\% during
time 1(X,bt(S1,Yrl,Mol,Dal,Hr1,Mn1)) :- during(X,Y),
event(Y,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,bt(Yr5,_,_,_,_),_, $)$, nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,
S 1 is $1, \mathrm{Yrl}$ is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is $\mathrm{Mo4}, \mathrm{Da} 1$ is $\mathrm{Da} 4, \mathrm{Hr} 1$ is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn 4 .
$\%$ during inverse
time 1(X,bt(S1,Yrl,Mol,Dal,Hrl,Mn1)) :- during(Y,X),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),,_,),
event(X,bt(Yr5,_,_,_,_),_,_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,
S 1 is $1, \mathrm{Yrl}$ is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is $\mathrm{Mo} 4, \mathrm{Da} 1$ is $\mathrm{Da} 4, \mathrm{Hr} 1$ is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn 4 .
\% during inverse
time 1(X,bt(S1,Yrl,Mol,Da1,Hrl,Mn1)) :- during(Y,X), event(Y,bt(Yr3,_,_,_,_),et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,bt(Yr5,_,,-,_),_,_), var(Yr3), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,
S 1 is $1, \mathrm{Yr} 1$ is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is Mo4, Da1 is Da4, Hr 1 is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn4.
\% equal
time 1(X,bt(S1,Yrl,Mo1,Da1,Hr1,Mn1)) :- equal(X,Y),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,bt(Yr5,_,,_,_),,, $)$, nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,


S1 is 2, Yr1 is Yr4, Mo1 is Mo4, Da1 is Da4, Hr1 is Hr4, Mn1 is Mn4.
\% meet
time1(Y,bt(S1,Yr1,Mo1,Da1,Hr1,Mn1)) :- meet(X,Y),
event(X,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(Y,bt(Yr5,_,_,_, ),_, ), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,
S 1 is 2, Yr 1 is $\mathrm{Yr} 4, \mathrm{Mo}$ is Mo4, $\mathrm{Da1}$ is $\mathrm{Da4}, \mathrm{Hr} 1$ is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn4.
\% overlap
time1(X,bt(S1,Yr1,Mo1,Da1,Hr1,Mn1)) :- overlap(X,Y),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,bt(Yr5,_,_,_,_),_,_), nonvar(Yr4), var(Yr5),
S 1 is $1, \mathrm{Yrl}$ is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is $\mathrm{Mo4}, \mathrm{Da1}$ is $\mathrm{Da} 4, \mathrm{Hr} 1$ is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn 4 .
\% overlap
time1(X,bt(S1,Yr1,Mo1,Da1,Hr1,Mn1)) :- overlap(X,Y),
event(Y,bt(Yr3,_,_,_,_),et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,bt(Yr5,,,_,_,_),_,_), var(Yr3), nonvar(Yr4), var(Yr5),
S1 is $1, \mathrm{Yr} 1$ is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is Mo4, Da 1 is $\mathrm{Da4}$, Hr 1 is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn4.
\% overlap inverse
time1(X,bt(S1,Yr1,Mo1,Da1,Hr1,Mn1)) :- overlap(Y,X),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,bt(Yr5,_,_,_,_),_,_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,
S 1 is $3, \mathrm{Yr} 1$ is $\mathrm{Yr} 4, \mathrm{Mol}$ is $\mathrm{Mo4}$, Da 1 is $\mathrm{Da4}, \mathrm{Hr} 1$ is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn 4 .
\% overlap inverse
time1(X,bt(S1,Yr1,Mo1,Da1,Hr1,Mn1)) :- overlap(Y,X),
event(Y,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,bt(Yr5,_,_,_,_),_,_), nonvar(Yr4), var(Yr5),
S1 is $1, \mathrm{Yr} 1$ is $\mathrm{Yr} 4, \mathrm{Mo1}$ is Mo4, Da1 is Da4, Hr 1 is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn4.
\% start
time1(X,bt(S1,Yr1,Mo1,Da1,Hr1,Mn1)) :- start(X,Y),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,bt(Yr5, , , , , $), \ldots, \ldots)$, nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5)$,
S 1 is 2, Yr 1 is $\mathrm{Yr} 4, \mathrm{Mo} 1$ is Mo4, Dal is $\mathrm{Da4}$, Hr 1 is $\mathrm{Hr} 4, \mathrm{Mn} 1$ is Mn4.
\%
\% know begin time
find end time
timel(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :-
event(X,bt(Yr4,Mo4,Da4,Hr4,Mn4),et(Yr6,_,_,_,_),_),
nonvar(Yr4), var(Yr6),
S 2 is $3, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% after
time1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- before(Y,X),
event(Y,_et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,_et(Yr6,_,_,_,_),_), nonvar(Yr4), var(Yr6),
S 2 is $3, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn4.
\% after
time1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- before(Y,X),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),et(Yr5,,,_,_,_),_),
event(X,_,et(Yr6,_,_,_,),_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5), \operatorname{var}(\mathrm{Yr} 6)$,
S 2 is $3, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% before
timel(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- before(X,Y),
event(Y,bt(Yr3,,,_,,,_),et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,_,et(Yr6,_,,,_,_),_), var(Yr3), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 6)$,
S 2 is $1, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% before
timel(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- before(X,Y), event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,_,et(Yr6,_,_,_,_),_), nonvar(Yr4), var(Yr6),
S2 is $1, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is Mo4, Da2 is Da4, Hr2 is Hr4, Mn2 is Mn4.
\% during
time 1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- during(X,Y),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,_,et(Yr6,_,_,_,_),_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 6)$,
S 2 is 3 , Yr 2 is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo4}$, Da2 is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% during
time1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- during(X,Y),
event(Y,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,_et(Yr6,_,_,_,_),_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 6)$,
S2 is 1, Yr 2 is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo4}, \mathrm{Da2}$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% during inverse
time1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- during(Y,X),
event(Y,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,_,et(Yr6,_,_,,_),_), nonvar(Yr4), var(Yr6),
S 2 is $3, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% during inverse
time 1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- during(Y,X), event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),et(Yr5,_,_,_,),_), event(X,_,et(Yr6,_,,_,_),_), var(Yr5), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 6)$, S 2 is $3, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% equal
time1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- equal(X,Y),
event(Y,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,_,et(Yr6,_,_,_,_),_), nonvar(Yr4), var(Yr6),
S 2 is $2, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% finish
time1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- finish(X,Y),
event(Y,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,_et(Yr6,,,_,_,_),_), nonvar(Yr4), var(Yr6),
S 2 is 2, Yr 2 is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo4}, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% meet
timel(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- $\operatorname{meet}(\mathrm{X}, \mathrm{Y})$,
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,_,et(Yr6,,,_,_,_),_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 6)$,

\% overlap
timel(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- overlap(X,Y),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),_,_),
event(X,_,et(Yr6,_,_,_,_),_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 6)$,
S 2 is $3, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% overlap
timel(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- overlap(X,Y),
event(Y,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,_et(Yr6,_,_,,_),_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 6)$,
S 2 is $1, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% overlap inverse
time1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- overlap(Y,X),
event(Y,bt(Yr4,Mo4,Da4,Hr4,Mn4),et(Yr5,_,_,_,_),_),
event(X,_,et(Yr6,_,_,_,_),_), nonvar(Yr4), $\operatorname{var}(\mathrm{Yr} 5), \operatorname{var}(\mathrm{Yr} 6)$,
S 2 is $3, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\% overlap inverse
time1(X,et(S2,Yr2,Mo2,Da2,Hr2,Mn2)) :- overlap(Y,X),
event(Y,_,et(Yr4,Mo4,Da4,Hr4,Mn4),_),
event(X,_,et(Yr6,_,_,_,...),_), nonvar(Yr4), var(Yr6),
S 2 is $3, \mathrm{Yr} 2$ is $\mathrm{Yr} 4, \mathrm{Mo} 2$ is $\mathrm{Mo} 4, \mathrm{Da} 2$ is $\mathrm{Da} 4, \mathrm{Hr} 2$ is $\mathrm{Hr} 4, \mathrm{Mn} 2$ is Mn 4 .
\%
all_before(List) :- setof(be(X,Y),before(X,Y),L), cut_duplicate(L,List).
all_vertex(Vertex) :- setof(X,event(X,_,_,_),N), cut_duplicate(N,Vertex).
find(R) :- all_before(List), all_vertex(Vertex), set(Vertex,Weigh), count_in
(Weigh,List,W_in),
seek(W_in,S_vertex), order(S_vertex,R2),
list(R2,R3), cut_duplicate(R3,R4), subset1(R4,R).
$\operatorname{set}([A \mid B],[c(A, 0) \mid R]):-\operatorname{set}(B, R)$.
$\operatorname{set}([],[])$.
$\operatorname{list}([\mathrm{AlB}], \mathrm{S}):-\operatorname{list} 1(\mathrm{~A}, \mathrm{~B}, \mathrm{~S})$.
list([],[]).
$\operatorname{list} 1([\mathrm{AlB}], \mathrm{C},[\mathrm{A} \mid \mathrm{S}]):-\operatorname{list1}(\mathrm{B}, \mathrm{C}, \mathrm{S})$.
list1([],C,S) :- list(C,S).
list1([],[],[]).
$\operatorname{cut} 1([\mathrm{AlB}], S):-\operatorname{cut} 2(\mathrm{~A}), \operatorname{cut}(\mathrm{B}, \mathrm{S})$.
$\operatorname{cut} 1([A \mid B],[A \mid S]):-\operatorname{not}(\operatorname{cut} 2(A)), \operatorname{cut} 1(B, S)$.
cut 1 ([],[]).
cut2([AI[]]).
$\operatorname{order}([L / R],[\mathrm{MIT}]):-\operatorname{setof}(\mathrm{S},(\operatorname{order} 1(\mathrm{~L}, \mathrm{~V})$, append([L],V,S)$), \mathrm{M})$, order(R,T).
$\operatorname{order}([],[])$.
$\operatorname{order} 1(\mathrm{X},[\mathrm{Y} \mid \mathrm{Z}]):-\operatorname{before}(\mathrm{X}, \mathrm{Y}), \operatorname{order} 1(\mathrm{Y}, \mathrm{Z})$.
orderl(_,[]).
$\operatorname{seek}([c(A, 0) \mid B],[A \mid R]):-\operatorname{seek}(B, R)$.
$\operatorname{seek}([c(A, N u m) \mid B], R):-\operatorname{not}(N u m=0), \operatorname{seek}(B, R)$.
seek([],[]).
count_in([c(A,Num)lB],List,[c(A,New)|T]) :- count1_in(c(A,Num),List,New), count_in(B,List,T).
count_in([],_,[]).
countl_in(c(A,Num),[be(_,A)IL],V) :- countl_in(c(A,Num),L,S), V is $S+1$.
count1_in(c(A,Num),[be(_,D)IL],V) :- $\operatorname{not}(A=D)$, count1_in(c(A,Num),L,S), V = S.
count1_in(c(A,Num),[],0).
choose([XIList]) :- nl, write(X), write(' : '), setof(Y,concept(X,Y),L2),
cut_duplicate(L2,List1), write(List1), choose(List).
choose([]).
main :- write(' Input data file name "File name". : '), read(Name), reconsult(Name), find(T), tell('c: \cglorder.out'), write(T), told, menu.
menu :- nl, nl, write(' Main Menu '), nl,
write(' a - Display all Events '), nl,
write(' b - Display all Concept Types '), nl,
write(' c - Display all before relation '), nl,
write(' d - Display all during relation '), nl, write(' e - Display all equal relation'), nl , write(' f - Display all finish relation '), nl, write(' g - Display all meet relation '), nl, write(' h - Display all overlap relation '), nl, write(' i - Display all start relation '), nl, write(' j - Find Events after given Event '), nl, write(' k - Find Events before given Event '), nl, write(' l- Find Time \& Concept of an Event '), nl, write(' m - Find Topological Order'), nl, write(' 0 - Exit'), nl, nl, write(' Input choice .......... '), read(X), nl,
menu(X).
menu(a) :- all_vertex(Event), write(' Event = '), write(Event), nl, menu.
menu(b) :- setof(X,concept(X,Y),L1), cut_duplicate(L1,List1), write(Listl),choose (List1), menu.
menu(c) :- setof(before(X,Y),before(X,Y),L), cut_duplicate(L,R), write(R), menu. menu(d) :- setof(during (X,Y),during(X,Y),L), cut_duplicate(L,R), write(R), menu. menu(e) :- setof(equal(X,Y),equal(X,Y),L), cut_duplicate(L,R), write(R), menu. menu(f) :- setof(finish(X,Y),finish(X,Y),L), cut_duplicate(L,R), write(R), menu. $\operatorname{menu}(\mathrm{g}):-\operatorname{setof}($ meet $(\mathrm{X}, \mathrm{Y})$, meet $(\mathrm{X}, \mathrm{Y}), \mathrm{L})$, cut_duplicate $(\mathrm{L}, \mathrm{R})$, write $(\mathrm{R})$, menu. $\operatorname{menu}(\mathrm{h}):-\operatorname{setof}($ overlap(X,Y),overlap(X,Y),L), cut_duplicate(L,R), write(R), menu. menu(i) :- setof(start(X,Y),start(X,Y),L), cut_duplicate(L,R), write(R), menu. $\operatorname{menu}(\mathrm{j})$ :- write(' Input event name : '), $\operatorname{read}(\mathrm{Q}), \mathrm{nl}, \operatorname{setof}(\mathrm{T}$, before( $\mathrm{Q}, \mathrm{T}), \mathrm{L})$, cut_duplicate(L,List), write('Event after '), write(Q), write(' is '), write(List), menu.
menu(k) :- write(' Input event name : '), $\operatorname{read}(\mathrm{Q}), \mathrm{nl}$, setof( $\mathrm{T}, \mathrm{before}(\mathrm{T}, \mathrm{Q}), \mathrm{L})$, cut_duplicate(L,List), write('Event before '), write(Q), write(' is '), write(List), menu.
menu(l) :- write(' Input event name : '), read(Q), nl, action(A,B,C,Q), write(A), write(' '), write(B), write(' '), write(C), nl, time(Q), menu. $\operatorname{menu}(\mathrm{m}):-\operatorname{find}(\mathrm{R})$, write('Order $=$ '), write $(\mathrm{R})$, menu. $\operatorname{menu}(0)$.

## APPENDIX C

## LISTING OF VISUAL BASIC PROGRAM

\%
Form Menu
\%
Dim ArrayNum As Integer
Private Sub Form_Load()
Dim Error_ans As Integer
ArrayNum $=0$
End Sub

Private Sub UpdateMenu()
mnu_App_Array(0).Visible $=$ True
ArrayNum $=$ ArrayNum +1
For $\mathrm{ii}=1$ To ArrayNum
If mnu_App_Array(ii).Caption $=$ Filename Then
ArrayNum = ArrayNum - 1
Exit Sub
End If
Next ii
If ArrayNum >=5 Then
For $\mathrm{ii}=1$ To ArrayNum
mnu_App_Array(ii).Caption $=$ mnu_App_Array(ii +
1). Caption

Next ii
ArrayNum = ArrayNum - 1
End If
mnu_App_Array(ArrayNum).Caption = Filename
mnu_App_Array(ArrayNum).Visible = True
End Sub

```
Private Sub mnu_App_Array_Click(Index As Integer)
If Index \(>=0\) Then
Filename \(=\) mnu_App_Array(Index).Caption
FormRelation.Show 1
```

End If
End Sub

Private Sub mnu_App_item_Click(Index As Integer)
Dim DesFilename As String
Dim dbs As Database
Dim rst, rst2 As Recordset
On Error GoTo errhandler
Select Case Index
Case 0 ' New Application
CmDialog 1.DialogTitle $=$ "New Application"
CmDialog 1.Filter $=$ "All Files (*.*) ${ }^{*} . * \mid$ Application Files
(*.mdb) ${ }^{*} . \mathrm{mdb}^{\prime}$
CmDialog 1.FilterIndex $=2$
CmDialog1.Action $=1$
Filename $=$ CmDialog 1.Filename
result $=$ OpenFile(Filename, NEW_APPLICATION)
If result $=$ NEW_DB Then
mnu_App_item(2).Enabled = True
mnu_Edit.Enabled = True
mnu_Query.Enabled = True
FormMenu.Caption = "Temporal Knowledge : " +
Filename
Call NewDatabase

## Call UpdateMenu <br> FormRelation.Show 1

End If
Case 1 ' Open application
CmDialog 1.DialogTitle $=$ "Open Application"
CmDialog 1.Filter = "All Files (*.*)|*.*|Application Files
(*.mdb) ${ }^{*} . \mathrm{mdb}^{\prime \prime}$
CmDialog 1.FilterIndex $=2$
CmDialog 1. Action $=1$
Filename $=$ CmDialog 1.Filename
If FileLen(Filename) < 0 Then MsgBox ("File Not Found")
Call UpdateMenu
FormMenu.Caption = "Temporal Knowledge : " + Filename
Set dbs = OpenDatabase(Filename)
Set rst = dbs.OpenRecordset("TRelation")
If rst.RecordCount $>0$ Then


Else
rst.Close
dbs.Close
FormRelation.Show 1
End If
Case 2 'Save As Text File
CmDialog1.DialogTitle = "Save Application As Text File For Prolog
Program"
CmDialog 1.Filter $=$ "All Files $\left.\left({ }^{*} .{ }^{*}\right)\right|^{*}$.*|Text Files (*.txt) $\left.\right|^{*} . t x t "$
CmDialog 1.FilterIndex $=2$

CmDialog1.Action $=2$
Dim FileNumber, bt, et, dt
Dim first_relation, second_relation, name 1, name2
FileNumber $=$ FreeFile
Open CmDialog 1.Filename For Output As \#FileNumber
Set dbs = OpenDatabase(Filename)
Set rst = dbs.OpenRecordset("TRelation")
Set rst2 = dbs.OpenRecordset("TTemporal")
rst.MoveFirst

## Do While Not rst.EOF

If (rst.Fields(4) <>" ") And (rst.Fields(5) <>" ") Then $\mathrm{bt}=$ ",bt(" \& Right(rst.Fields(4), 4) \& "," \&

Mid(rst.Fields(4), 4, 2) \& "," \& Left(rst.Fields(4), 2) \& Left(rst.Fields(5), 2) \& "," \& Right(rst.Fields(5), 2)

Else
bt $=$ ", $\mathrm{A}^{\prime}$
End If
If (rst.Fields(6) <>" ") And (rst.Fields(7) <>" ") Then et = ",et(" \& Right(rst.Fields(6), 4) \& "," \& Mid(rst.Fields(6), 4, 2) \& "," \& Left(rst.Fields(6), 2) \& Left(rst.Fields(7), 2) \& "," \& Right(rst.Fields(7), 2) Else
et $=$ ",B"
End If
If (rst.Fields(8) <>" ") And (rst.Fields(9) <>" ") Then dt = ",dt(" \& Right(rst.Fields(8), 4) \& "," \& _ Mid(rst.Fields(8), 4, 2) \& "," \& Left(rst.Fields(8), 2) \& Left(rst.Fields(9), 2) \& "," \& Right(rst.Fields(9), 2) \& Else
$\mathrm{dt}=$ ", C"
End If

Print \#1, "event("; rst.Fields(11); bt; et; dt; ")."
rst.MoveNext

## Loop

Do While Not rst2.EOF
rst.MoveFirst
Do While Not rst.EOF
If rst2.Fields $(0)=$ rst.Fields $(11)$ Then
first_relation $=$ rst.Fields $(11)$
Exit Do
Else
rst.MoveNext
End If
Loop
rst.MoveFirst
Do While Not rst.EOF
If rst2.Fields(1) $=$ rst.Fields(11) Then
second_relation $=$ rst.Fields $(11)$
Exit Do
Else
rst.MoveNext
End If
Loop
Print \#1,LCase(rst2.Fields(2));"_of(";first_relation;",";
second_relation; ")."
rst2.MoveNext
Loop
rst.MoveFirst
Do While Not rst.EOF

$$
\text { name } 1=\operatorname{Trim}(\text { LCase(rst.Fields(1))) }
$$

If (rst.Fields $(0)<>"$ ") Then
Do While $\operatorname{InStr}($ name $1, ~ ", ")$

```
name2 = Trim(Left(name1, InStr(name1, ",")
name1 = Mid(name1, InStr(name1, ",") + 1)
Do While InStr(name2," '')
```

    \(\operatorname{Mid}(\) name \(2, \operatorname{InStr}(\) name \(2, ~ " ~ "), ~ 1)=" ' " ~\)
    
## Loop

Print \#1,"concept("; rst.Fields(0); name2; ")."

## Loop

namel $=$ Trim(namel)
Do While $\operatorname{InStr}($ name 1, " ")
$\operatorname{Mid}($ name $1, \operatorname{InStr}($ name $1, " '), 1)="]$
Loop
Print \#1, "concept("; rst.Fields(0); ","; (name1); ")."
End If
namel $=$ Trim(LCase(rst.Fields(3)))
If (rst.Fields(2) <>" ") Then
Do While $\operatorname{InStr}($ name $1, ~ ", ")$
name2 $=(\operatorname{Left}($ name $1, \operatorname{InStr}($ name $1, ", ")-1))$
namel $=\operatorname{Mid}\left(\right.$ name1, $\operatorname{InStr}\left(\right.$ namel, $\left.\left.{ }^{\prime}, "\right)+1\right)$
Do While $\operatorname{InStr}($ name2, " ")
$\operatorname{Mid}($ name $2, \operatorname{InStr}($ name $2, " "), 1)=" . . "$ Loop

Print \#1, "concept("; rst.Fields(2); name2; ")."
Loop
name $1=$ Trim(name1)
Do While $\operatorname{InStr}($ name 1, " " $)$
$\operatorname{Mid}($ name $1, \operatorname{InStr}($ name1, " " $), 1)=$ "_"
Loop
Print \#1, "concept("; rst.Fields(2); Trim(name1); ")."
End If
rst.MoveNext
rst.MoveFirst

## Do While Not rst.EOF

Print \#1, "action(["; LCase(rst.Fields(1)); "],["; LCase (rst.Fields(10)); "],["; LCase(rst.Fields(3)); "],"; LCase (rst.Fields(11)); ")."
rst.MoveNext
Loop
rst.Close
rst2.Close
dbs.Close
Close \#FileNumber

## Case 3 ' Delete

CmDialog 1.DialogTitle $=$ "Delete Application"
CmDialog 1.Filter = "All Files (*.*)|*.*|Application Files
(*.mdb) ${ }^{*} . \mathrm{mdb}^{\prime \prime}$
CmDialog 1.FilterIndex $=2$
CmDialog 1. Action $=1$
Filename $=$ CmDialog 1.Filename
If FileLen(Filename) $>0$ Then Kill Filename
Case 4 'Line
Case 5 'Exit
End
Case 6 'Line
End Select
FormMenu.Show
Exit Sub
errhandler:
Error_ans $=$ MsgBox(Error, 48, "Error!")
Exit Sub
End Sub

Private Function OpenFile(NewFilename As String, Mode As Integer) As Integer Dim NewFileNum, a As Integer

Dim Msg As String
If NewFilename Like "*[;-?[* ]*" Or NewFilename Like "*]*" Then Error Err_BadFileName

If Mode $=$ NEW_APPLICATION Then
If $\operatorname{Dir}($ NewFilename) $<>$ "" Then
Msg = "Do you want to replace " + NewFilename + " file?"
If MsgBox(Msg, 49, "Replace File?") $=2$ Then
OpenFile $=0$
Exit Function
Else 'Replace DB
Kill NewFilename
OpenFile $=$ NEW_DB
Exit Function
End If
Else

> OpenFile = NEW_DB

Exit Function
End If

## End If

If Mode $=$ DELETE_APPLICATION Then
NewFileNum = FreeFile
Open NewFilename For Random As NewFileNum
If $\operatorname{LOF}($ NewFileNum $)=0$ Then
Msg = "File " + NewFilename + " does not exist. "
$\mathrm{a}=\mathrm{MsgBox}(\mathrm{Msg}, 64$, "File Not Found")
End If
Close NewFileNum
Kill NewFilename
OpenFile $=0$

## Exit Function

End If

## End Function

Private Sub NewDatabase()
Dim wrkDefault As Workspace
Dim dbsNew As Database
Dim prpLoop As Property
Set wrkDefault $=$ DBEngine. Workspaces $(0)$
Set dbsNew = wrkDefault.CreateDatabase(Filename, dbLangGeneral)
dbsNew.Execute "CREATE TABLE TRelation" -
\& "(Concept_Type_1 Text (20), Indv_Name_1 Text (20), Concept_Type_2
Text (20),"_ \& "Indv_Name_2 Text (20), Begin_Date Text (10) ,
Begin_Time Text (5), " _
\& "End_Date Text (10), End_Time Text (5), Duration_Date Text (10), "-
\& "Duration_Time Text (5), Relation Text (20) Not Null, Event_Name Text
(20) "
\& "CONSTRAINT Event_Ind Primary Key);"
dbsNew.Execute "CREATE TABLE TTemporal " _
\& "(Relation_1 Text (20), Relation_2 Text (20), Temporal_Relation Text (10), " -
\& "Temporal_Id Integer CONSTRAINT Temporal_Ind PRIMARY KEY);" dbsNew.Close

End Sub

Private Sub mnu_Edit_item_Click(Index As Integer)
On Error GoTo err_handler
Select Case Index
Case 0 ' Edit relation

$$
\text { FormMenu.Caption = "Temporal Knowledge : " }+
$$

Filename

FormRelation.Show 1
Case 1 ' Edit temporal
FormMenu.Caption = "Temporal Knowledge : " +
Filename

## FormTemporal.Show 1

End Select
Exit Sub
err_handler:
Error_ans $=$ MsgBox(Error, 48, "Error!")
Exit Sub
End Sub

Private Sub mnu_Query_item_Click(Index As Integer)
On Error GoTo err_handler
Select Case Index Case 0 ' Event

FormEvent.Show 1 Case 1 ' Temporal Relation

FormTopological.Show
End Select
Exit Sub
err_handler:
Error_ans $=\operatorname{MsgBox}($ Error, 48, "Error!")
Exit Sub

## End Sub

\% ---------------------------- Form Add Temporal \%

Private AddMode As Integer
Private Error_ans As Integer
Private MaxNum As Integer

```
Private Sub CancelButton_Click()
    Unload FormAddTemporal
    If Data3.Recordset.RecordCount =0 Then
    FormTemporal.Visible = False
    FormMenu.Visible = True
    Else
    FormTemporal.Visible = True
    End If
End Sub
Private Sub Datal_Reposition()
    Frame_Event_1.Caption = "Event : " + Data1.Recordset("Event_Name")
End Sub
Private Sub Data2_Reposition()
    Frame_Event_2.Caption = "Event : " + Data2.Recordset("Event_Name")
End Sub
Private Sub Form_Load()
Datal.DatabaseName = Filename
    Data2.DatabaseName = Filename
    Data3.DatabaseName = Filename
    If Modify_Rec =-1 Then
    FormAddTemporal.Caption = "Add New Temporal"
    Data1.Refresh
    Data2.Refresh
    Data3.Refresh
    If Data3.Recordset.RecordCount =0 Then
        MaxNum = 0
    Else
                                    Data3.Recordset.MoveLast
                                    MaxNum = Data3.Recordset("Temporal_Id")
```

```
    End If
    Data3.Recordset.AddNew
    Opt_After.Value = True
    Else
    FormAddTemporal.Caption = "Edit Temporal"
    Data3.Refresh
    Data3.Recordset.Index = "Temporal_Ind"
    Data3.Recordset.Seek "=", Modify_Rec
    Select Case Data3.Recordset.Fields("Temporal_Relation")
        Case "After" Opt_After.Value = True
        Case "Before" Opt_Before.Value = True
        Case "During" Opt_During.Value = True
        Case "Equal" Opt_Equal.Value = True
        Case "Finish" Opt_Finish.Value = True
        Case "Meet" Opt_Meet.Value = True
        Case "Overlap" Opt_Overlap.Value = True
        Case "Start" Opt_Start.Value = True
    End Select
    Datal.Refresh
    Data1.Recordset.Index = "Event_Ind"
    Data1.Recordset.Seek "=",Data3.Recordset("Relation_1")
    Data2.Refresh
    Data2.Recordset.Index = "Event_Ind"
    Data2.Recordset.Seek "=", Data3.Recordset("Relation_2")
    Data3.Recordset.Edit
    End If
Private Sub OKButton_Click()
    Dim F_YR, F_MO, F_DA, F_HH, F_MM, S_YR, S_MO, S_DA, S_HH,
```

End Sub
S_MM

Dim Error_Msg
On Error GoTo NoUpdate
If Modify_Rec =-1 Then Data3.Recordset("Temporal_Id") = MaxNum + 1
Data3.Recordset("Relation_1") = Event_1.Text
Data3.Recordset("Relation_2") = Event_2.Text
If (Begin_Date_1.Text = "") And (End_Date_1.Text = "") Then GoTo
Update_Line
If (Begin_Date_2.Text = "") And (End_Date_2.Text = "") Then GoTo
Update_Line
If Begin_Date_1.Text <> " Then
F_YR $=\operatorname{Val}($ Right $($ Begin_Date_1.Text, 4))
F_MO = Val(Mid(Begin_Date_1.Text, 4, 2))
F_DA = Val(Left(Begin_Date_1.Text, 2))
F_HH = Val(Left(Begin_Time_1.Text, 2))
F_MM $=\operatorname{Val}(\operatorname{Mid}($ Begin_Time_1.Text, 4, 2) $)$
End If
If End_Date_1.Text <> "" Then
F_YR $=\operatorname{Val}(\operatorname{Right}($ End_Date_1.Text, 4))
F_MO = Val(Mid(End_Date_1.Text, 4, 2))
F_DA $=\operatorname{Val}($ Left(End_Date_1.Text, 2))
F_HH $=\operatorname{Val}\left(\operatorname{Left}\left(E n d \_\right.\right.$Time_1.Text, 2) $)$
F_MM $=\operatorname{Val}\left(\operatorname{Mid}\left(E n d \_\right.\right.$Time_1.Text, 4, 2))
End If
If End_Date_2.Text <> "" Then

$$
\begin{aligned}
& \text { S_YR }=\text { Val(Right(End_Date_2.Text, 4)) } \\
& \text { S_MO }=\operatorname{Val}(\operatorname{Mid}(\text { End_Date_2.Text, 4, 2)) } \\
& \text { S_DA }=\operatorname{Val}(\text { Left(End_Date_2.Text, 2)) } \\
& \text { S_HH }=\operatorname{Val}(\text { Left(End_Time_2.Text, 2)) } \\
& \text { S_MM }=\text { Val(Mid(End_Time_2.Text, 4, 2)) }
\end{aligned}
$$

End If
If Begin_Date_2.Text <> " Then

$$
\begin{aligned}
& \text { S_YR }=\operatorname{Val}(\text { Right(Begin_Date_2.Text, 4)) } \\
& \text { S_MO }=\operatorname{Val}(\operatorname{Mid}(\text { Begin_Date_2.Text, 4, 2)) } \\
& \text { S_DA }=\operatorname{Val}(\text { Left(Begin_Date_2.Text, 2)) } \\
& \text { S_HH }=\operatorname{Val}(\text { Left(Begin_Time_2.Text, 2)) } \\
& \text { S_MM }=\operatorname{Val}(\operatorname{Mid}(\text { Begin_Time_2.Text, 4, 2)) }
\end{aligned}
$$

End If
If Opt_After.Value $=$ True Then
If $F_{-} Y R<S_{-} Y R$ Then GoTo Error_Line
If $F_{-} Y R>S \_Y R$ Then GoTo Update_Line
If F_MO < S_MO Then GoTo Error_Line
If F_MO > S_MO Then GoTo Update_Line
If F_DA < S_DA Then GoTo Error_Line
If F_DA > S_DA Then GoTo Update_Line
If F_HH < S_HH Then GoTo Error_Line
If F _HH > S_HH Then GoTo Update_Line
If F_MM < S_MM Then GoTo Error_Line
If F_MM > S_MM Then GoTo Update_Line

## End If

If Opt_Before. Value $=$ True Then
If $F_{-} Y R>S$ _ YR Then GoTo Error_Line
If F_YR < S_YR Then GoTo Update_Line
If F _MO $>$ S_MO Then GoTo Error_Line
If F_MO < S_MO Then GoTo Update_Line
If F_DA > S_DA Then GoTo Error_Line
If F_DA < S_DA Then GoTo Update_Line
If F_HH > S_HH Then GoTo Error_Line
If F_HH < S_HH Then GoTo Update_Line
If F_MM > S_MM Then GoTo Error_Line
If F_MM < S_MM Then GoTo Update_Line
End If
If Opt_During.Value = True Then GoTo Update_Line

If Opt_Equal.Value $=$ True Then GoTo Update_Line
If Opt_Finish.Value $=$ True Then GoTo Update_Line
If Opt_Meet.Value $=$ True Then GoTo Update_Line
If Opt_Overlap.Value $=$ True Then GoTo Update_Line
If Opt_Start.Value $=$ True Then GoTo Update_Line Update_Line:

If Opt_After.Value = True Then Data3.Recordset("Temporal_Relation") = "After"

If Opt_Before.Value = True Then Data3.Recordset("Temporal_Relation") = "Before"

If Opt_During.Value $=$ True Then Data3.Recordset("Temporal_Relation") $=$ "During"

If Opt_Equal.Value $=$ True Then Data3.Recordset("Temporal_Relation") $=$ "Equal"

If Opt_Finish.Value $=$ True Then Data3.Recordset("Temporal_Relation") $=$ "Finish"

If Opt_Meet.Value $=$ True Then Data3.Recordset("Temporal_Relation") $=$ "Meet"

If Opt_Overlap.Value $=$ True Then Data3.Recordset("Temporal_Relation") $=$ "Overlap"

If Opt_Start.Value = True Then Data3.Recordset("Temporal_Relation") = "Start"

Data3.Recordset.Update
Unload FormAddTemporal
FormTemporal.Show
Exit Sub
Error_Line:
Error_Msg = "Time of " + Relation_1.Text + ". should not come " + _
Data3.Recordset("Temporal_Relation") + " time of " + Relation_2.Text
MsgBox (Error_Msg)
Unload FormAddTemporal

FormTemporal.Show
Exit Sub

## NoUpdate:

Error_ans $=$ MsgBox $($ Error, 48, "Error!")
Exit Sub
End Sub

Private Sub ExitButton_Click()
Unload FormEvent
FormMenu.Visible $=$ True
End Sub
Private Sub combo1_Click()
Dim dbs As Database
Dim rst As Recordset
Set dbs = OpenDatabase(Filename)
Set rst = dbs.OpenRecordset("TRelation")
rst.MoveFirst
Do While Not rst.EOF
If $\operatorname{StrComp}(\operatorname{Combo1}$.Text, rst.Fields(11)) $=0$ Then
Object1.Text = rst.Fields(0) \& " : " \& rst.Fields(1)
Object2.Text = rst.Fields(10)
Object3.Text $=$ rst.Fields(2) \& " : " \& rst.Fields(3)
End If
rst.MoveNext

## Loop

rst.Close
dbs.Close
End Sub

Private Sub Form_Load()

```
Dim dbs As Database
Dim rst As Recordset
Set dbs = OpenDatabase(Filename)
Set rst = dbs.OpenRecordset("TRelation")
rst.MoveFirst
Do While Not rst.EOF
Combol.AddItem rst.Fields(11)
rst.MoveNext
Loop
rst.Close
dbs.Close
End Sub
\%
Form Relation \%
Private Sub DisableText()
Concept_Type_1.Enabled = False
Concept_Type_2.Enabled = False
Indv_Name_1.Enabled = False
Indv_Name_2.Enabled = False
Relation.Enabled \(=\) False
Event_Name.Enabled = False
Begin_Date.Enabled \(=\) False
Begin_Time.Enabled \(=\) False
End_Date.Enabled = False
End_Time.Enabled \(=\) False
Duration_Date.Enabled = False
Duration_Time.Enabled \(=\) False
End Sub
Private Sub AddButton_Click()
Call EnableText
```

Call HideButton
FormRelation.Caption = "Add New Relation"
Data1.Visible = False
Datal.Refresh
Data1.Recordset.AddNew

## End Sub



## End Sub

```
Private Sub ShowButton()
    AddButton.Visible = True
    EditButton.Visible = True
    DeleteButton.Visible = True
    ExitButton.Visible = True
    OKButton.Visible = False
    CancelButton.Visible = False
```

End Sub
Private Sub Begin_Date_Change()
If Len(Begin_Date) $=10$ Then
If $(\operatorname{Val}(\operatorname{Left}($ Begin_Date, 2$))>31$ Or Val(Left(Begin_Date, 2) $)<1$ Or
$\operatorname{Mid}($ Begin_Date, 4,2$)>12$ Or Mid(Begin_Date, 4, 2) $<1$ Or
Val(Right(Begin_Date, 4)) > 9999 Or Val(Right(Begin_Date,
4)) $<0$ Or Mid(Begin_Date, 3, 1) <> "/" Or Mid(Begin_Date,
6,1) <> "/") Then
Error_ans = MsgBox("Invalid Begin Date", 48, "Error!")
Else
OKButton.Enabled $=$ True
End If
Else
OKButton.Enabled $=$ False
End If
If Begin_Date = "" Then OKButton.Enabled = True
End Sub
Private Sub Begin_Time_Change()
If Len $($ Begin_Time $)=5$ Then
If $(\operatorname{Val}(\operatorname{Left}($ Begin_Time, 2 $))>24$ Or Val $(\operatorname{Left}($ Begin_Time, 2$))<0$
Or Val(Right(Begin_Time, 2)) > 59 Or Val(Right(Begin_Time, 2)) <
0 Or Mid(Begin_Time, 3, 1) <> ".") Then
Error_ans = MsgBox("Invalid Begin Time", 48, "Error!")

Else
OKButton.Enabled $=$ True
End If
Else
OKButton.Enabled $=$ False
End If
If Begin_Time $=$ " " And Begin_Date $=$ " " Then OKButton.Enabled $=$ True End Sub

Private Sub CancelButton_Click()
Datal. Visible $=$ True
Call ShowButton
Call DisableText
FormRelation.Caption $=$ "Relation: " + Filename
If Datal.Recordset.RecordCount $=0$ Then
EditButton.Enabled $=$ False
DeleteButton.Enabled = False
Else
EditButton.Enabled $=$ True
DeleteButton.Enabled = True
End If
End Sub
 วหยาลัยฉัส

Private Sub DeleteButton_Click()
FormRelation.Caption = "Delete Relation"
If (MsgBox("Are you sure to delete this relation?", 36, "Delete relation?") =
6) Then

Datal.Recordset.Delete
Data1.Refresh
Data1. Visible $=$ True
End If

```
    If Datal.Recordset.RecordCount =0 Then
    EditButton.Enabled = False
    DeleteButton.Enabled = False
    Else
    EditButton.Enabled = True
    DeleteButton.Enabled = True
    End If
    FormRelation.Caption = "Relation: " + Filename
End Sub
```

```
Private Sub Duration_Date_Change()
```

Private Sub Duration_Date_Change()
If Len(Duration_Date) }=10\mathrm{ Then
If Len(Duration_Date) }=10\mathrm{ Then
If (Val(Left(Duration_Date, 2)) > 31 Or Val(Left(Duration_Date, 2))
If (Val(Left(Duration_Date, 2)) > 31 Or Val(Left(Duration_Date, 2))
<0 Or Mid(Duration_Date, 4, 2) > 12 Or Mid(Duration_Date, 4, 2)<
<0 Or Mid(Duration_Date, 4, 2) > 12 Or Mid(Duration_Date, 4, 2)<
0 Or Val(Right(Duration_Date, 4)) > 9999 Or Val(Right
0 Or Val(Right(Duration_Date, 4)) > 9999 Or Val(Right
(Duration_Date, 4)) < 0 Or Mid(Duration_Date, 3, 1) <> "/" Or Mid
(Duration_Date, 4)) < 0 Or Mid(Duration_Date, 3, 1) <> "/" Or Mid
(Duration_Date, 6, 1) <> "/") Then
(Duration_Date, 6, 1) <> "/") Then
Error_ans = MsgBox("Invalid Duration Date", 48, "Error!")
Error_ans = MsgBox("Invalid Duration Date", 48, "Error!")
Else
Else
OKButton.Enabled = True
OKButton.Enabled = True
End If
Else
OKButton.Enabled = False
End If
If Duration_Date = "" Then OKButton.Enabled = True
End Sub
Private Sub Duration_Time_Change()
If Len(Duration_Time) = 5 Then

```
```

    If (Val(Left(Duration_Time, 2)) > 24 Or Val(Left(Duration_Time, 2))
    <0 Or Val(Right(Duration_Time, 2)) > 59 Or Val(Right
    (Duration_Time, 2)) < 0 Or Mid(Duration_Time, 3, 1) <> ".") Then
        Error_ans = MsgBox("Invalid Duration Time", 48, "Error!")
    Else
        OKButton.Enabled = True
    End If
    Else
        OKButton.Enabled = False
    End If
    If Duration_Time = "" And Duration_Date = "" Then OKButton.Enabled =
    True
End Sub

```
```

Private Sub EditButton_Click()

```
Private Sub EditButton_Click()
    Call EnableText
    Call EnableText
    Call HideButton
    Call HideButton
    Event_Name.Enabled = False
    Event_Name.Enabled = False
    FormRelation.Caption = "Edit Relation"
    FormRelation.Caption = "Edit Relation"
    Datal.Visible = False
    Datal.Visible = False
    Datal.Recordset.LockEdits = True
    Datal.Recordset.LockEdits = True
    Datal.Recordset.Edit
    Datal.Recordset.Edit
End Sub
Private Sub End_Date_Change()
    If Len(End_Date) = 10 Then
    If (Val(Left(End_Date, 2)) > 31 Or Val(Left(End_Date, 2)) < 1 Or_
    Mid(End_Date, 4, 2) > 12 Or Mid(End_Date, 4, 2) < 1 Or _
    Vail(Right(End_Date, 4)) > 9999 Or Val(Right(End_Date, 4)) < 0 Or _
    Mid(End__Date, 3, 1) <> "/" Or Mid(End_Date, 6, 1) <> "/") Then
        Error_ans = MsgBox("Invalid End Date", 48, "Error!")
```

Else

> OKButton.Enabled = True

End If
Else
OKButton.Enabled $=$ False
End If
If End_Date $=$ " $"$ Then OKButton.Enabled $=$ True
End Sub

Private Sub End_Time_Change()
If Len(End_Time) $=5$ Then
If $\left(\operatorname{Val}\left(L e f t\left(E n d \_T i m e, 2\right)\right)>24\right.$ Or Val(Left(End_Time, 2) $)<0$ Or
Val(Right(End_Time, 2)) > 59 Or Val(Right(End_Time, 2)) < 0 Or Mid(End_Time, 3, 1) <> ".") Then Error_ans = MsgBox("Invalid End Time", 48, "Error!")

Else
OKButton.Enabled $=$ True
End If
Else
OKButton.Enabled $=$ False
End If
If End_Time $=$ " " And Begin_Time $="$ "" Then OKButton.Enabled $=$ True End Sub

Private Sub ExitButton_Click()
Datal.Refresh
If Datal.Recordset.RecordCount $<=0$ Then
FormMenu!mnu_Edit_item(1).Enabled = False
FormMenu!mnu_Query.Enabled = False
FormMenu!mnu_App_item(2).Enabled = False
Else

FormMenu!mnu_Edit_item(0).Enabled = True
FormMenu!mnu_Edit_item(1).Enabled = True
FormMenu!mnu_Query.Enabled = True
FormMenu!mnu_App_item(2).Enabled = True
End If
Unload FormRelation
FormMenu. Visible $=$ True

## End Sub

## Private Sub Form_Load()

Dim Error_ans As Integer
AddMode $=$ False
Call ShowButton
Call DisableText
Datal.DatabaseName $=$ Filename
FormRelation.Caption = "Relation: " + Filename
Datal. Visible $=$ True
Data1.Refresh
If Datal.Recordset.RecordCount <=0 Then AddButton_Click
End Sub

Private Sub OKButton_Click()
Dim BT_YR, BT_MO, BT_DA, BT_HH, BT_MM
Dim ET_YR, ET_MO, ET_DA, ET_HH,ET_MM
On Error GoTo NoUpdate
If (Begin_Date.Text = "") Or (End_Date.Text = "") Then GoTo Update_Line
If (Begin_Date.Text <> "") And (End_Date.Text <> "") Then
$B T_{-} \mathrm{YR}=\operatorname{Val}(\operatorname{Right}($ Begin_Date.Text, 4)$)$
BT_MO $=\operatorname{Val}(\operatorname{Mid}($ Begin_Date.Text, 4, 2) $)$
BT_DA $=\operatorname{Val}($ Left $($ Begin_Date.Text, 2) $)$
BT_HH $=\operatorname{Val}(\operatorname{Left}($ Begin_Time.Text, 2) $)$

BT_MM $=\operatorname{Val}\left(\operatorname{Mid}\left(\operatorname{Begin} \_T i m e . T e x t, ~ 4, ~ 2\right)\right) ~$
$E T \_Y R=\operatorname{Val}($ Right $($ End_Date.Text, 4))
$E T \_M O=\operatorname{Val}\left(\operatorname{Mid}\left(E n d \_\right.\right.$Date.Text, 4, 2) )
ET_DA $=\operatorname{Val(Left(End\_ Date.Text,~2))~}$
ET_HH = Val(Left(End_Time.Text, 2))
ET_MM $=\operatorname{Val}\left(\operatorname{Mid}\left(E n d \_\right.\right.$Time.Text, 4, 2) $)$
If BT_YR > ET_YR Then GoTo Error_Line
If BT_YR <ET_YR Then GoTo Update_Line
If $\mathrm{BT}_{-} \mathrm{MO}>\mathrm{ET}$ _MO Then GoTo Error_Line
If $\mathrm{BT}_{-} \mathrm{MO}<\mathrm{ET}$ _MO Then GoTo Update_Line
If BT _DA $>$ ET_DA Then GoTo Error_Line If BT_DA < ET_DA Then GoTo Update_Line If BT _H $\mathrm{H}>\mathrm{ET}$ _HH Then GoTo Error_Line If BT_HH < ET_HH Then GoTo Update_Line If BT_MM $>$ ET_MM Then GoTo Error_Line If $\mathrm{BT}_{-} \mathrm{MM}<\mathrm{ET}_{-} \mathrm{MM}$ Then GoTo Update_Line
End If
GoTo Update_Line
Error_Line:
Error_Msg = "Begin time should before end time"
MsgBox (Error_Msg)
Datal.Recordset.CancelUpdate
GọTo Continue
Update_Line:
Data1.Recordset.Update
GoTo Continue
Continue:
Datal. $\mathrm{Visible}=$ True
Data1.Refresh
Call DisableText
Call ShowButton

```
    FormRelation.Caption = "Relation:" + Filename
    If Datal.Recordset.RecordCount = 0 Then
    EditButton.Enabled = False
    DeleteButton.Enabled = False
    Else
    EditButton.Enabled = True
    DeleteButton.Enabled = True
    End If
    Exit Sub
NoUpdate:
    Error_ans = MsgBox(Error, 48, "Error!")
    Exit Sub
End Sub
Private Sub Relation_Change()
    If Relation = "" Then
        OKButton.Enabled = False
    Else
        OKButton.Enabled = True
    End If
End Sub
% -------------------------------------------------
Private Error_ans As Integer
Private MaxNum As Integer
Private Sub AddButton_Click()
Modify_Rec =-1
Unload FormTemporal
FormAddTemporal.Show 1
End Sub
```

Private Sub Data3_Reposition()
On Error GoTo Nc_Update
If Data3.Recordset.RecordCount $=0$ Then Exit Sub
Datal.RecordSource $=$ "SELECT $*$ FROM TRelation WHERE
Event_Name='" + Data3.Recordset("Relation_1") + "'"
Datal.Refresh
Data2.RecordSource $=$ "SELECT $*$ FROM TRelation WHERE
Event_Name='" + Data3.Recordset("Relation_2") + "'"
Data2.Refresh
Frame_Event_1.Caption = "Event : " + Event_1.Text
Frame_Event_2.Caption = "Event : " + Event_2.Text
Modify_Rec = Data3.Recordset("Temporal Id")
Select Case Data3.Recordset("Temporal_Relation")
Case "After" Opt_After.Value = True
Case "Before" Opt_Before.Value = True
Case "During" Opt_During.Value = True
Case "Equal" Opt_Equal.Value = True
Case "Finish" Opt_Finish.Value = True
Case "Meet" Opt_Meet.Value = True
Case "Overlap" Opt_Overlap.Value = True
Case "Start" Opt_Start.Value = True
End Select
Exit Sub
No_Update:
Error_ans $=\operatorname{MsgBox}($ Error, 48, "Error!")
Exit Sub
End Sub

Private Sub DeleteButton_Click()
FormTemporal.Caption $=$ "Delete Temporal Relation"

If (MsgBox("Are you sure to delete this temporal relation?", 36, "Delete relation?") = 6) Then Data3.Recordset.Delete

Data3.Refresh
If Data3.Recordset.RecordCount $=0$ Then
EditButton.Enabled $=$ False
DeleteButton.Enabled $=$ False
Data3.Visible $=$ False
Else
EditButton.Enabled $=$ True
DeleteButton.Enabled $=$ True
End If
FormTemporal.Caption $=$ "Temporal Relation:" + Filename
End Sub

Private Sub EditButton_Click()
Modify_Rec $=1$
Unload FormTemporal
FormAddTemporal.Show
End Sub

Private Sub ExitButton_Click()
Unload FormTemporal
Unload FormAddTemporal
FormMenu.Visible $=$ True
End Sub

Private Sub Form_Load()
Data3. DatabaseName $=$ Filename
FormTemporal.Caption $=$ "Temporal Relation : " + Filename
Data3.Refresh
If Data3.Recordset.RecordCount $=0$ Then

DeleteButton.Enabled = False
EditButton.Enabled $=$ False
Data3.Visible $=$ False
Else
Data1.DatabaseName $=$ Filename
Data2. DatabaseName $=$ Filename
DeleteButton.Enabled = True
EditButton.Enabled $=$ True
Data3. Visible $=$ True
End If
End Sub
 \%

Dim Check_Click, MaxCol, MaxList, MaxRow, MaxLabel, MaxLine Dim Relation(50), LineX(50), LineY(50), pX(50), pY(50) Private Sub Form_Load()

Dim FileNumber, Tmp_Relation(50)
$\operatorname{Dim} \mathrm{I}, \mathrm{J}, \mathrm{K}$
Check_Click $=$ False
FileNumber = FreeFile
$\mathrm{I}=0, \quad \mathrm{~K}=0, \quad \mathrm{MaxCol}=0$
Open "C:ICGIORDER.OUT" For Input As \#FileNumber
Do While Not EOF(FileNumber)
Input \#FileNumber, Tmp_Relation(I)
$\mathrm{I}=\mathrm{I}+1$
Loop
Close \#FileNumber
$\mathrm{I}=\mathrm{I}-\mathrm{I}$
Tmp_Relation(0) $=\operatorname{Mid}\left(T m p \_R e l a t i o n(0), 2\right)$
Tmp_Relation(I) $=\operatorname{Left}\left(T m p \_R e l a t i o n(I), L e n\left(T m p \_R e l a t i o n(I)\right)-1\right) ~$
For $\mathrm{J}=0$ To I

$$
\text { Relation }(\mathrm{K})=\text { Tmp_Relation }(\mathrm{J})
$$


$K=K+1$
If Left(Tmp_Relation(J), 1) = "[" Then Relation(K-1) $=$ Mid (Tmp_Relation(J), 2)

If Right(Tmp_Relation(J), 1$)=$ " $]$ " Then
Relation(K-1) = Left(Tmp_Relation(J), Len(Tmp_Relation(J)) - 1)

$$
\begin{aligned}
& \text { Relation }(\mathrm{K})=\text { "NextOrder" } \\
& \mathrm{K}=\mathrm{K}+1
\end{aligned}
$$

End If

```
Next J
MaxList = K-1
BackColor = QBColor(7)
ScaleMode = 3 'Set ScaleMode to pixels.
Left = 0
Width = Screen.Width
Height =5000
Top = (Screen.Height - Height) / 2
ScaleMode = 3
VScroll1.Top = 0
VScroll1.Height = ScaleHeight - 20
VScroll1.Left = ScaleWidth - 17
HScrolll.Left = 0
HScrolll.Top = ScaleHeight - 17
HScrolll.Width = ScaleWidth - 17
K=0, J=0, X =0, Y=0
For I = 0 To MaxList
If Relation(I) <> "NextOrder" Then
        If K > 0 Then
        Load Label1(K)
        Load Shape1(K)
        End If
        If Len(Relation(I)) > 15 Then
```

Label1 $(\mathrm{K})$.Alignment $=0$
Else
Label1 $(\mathrm{K})$.Alignment $=2$
End If
Label1(K).Visible $=$ True
Label $1(\mathrm{~K})$.Caption $=$ Relation $(\mathrm{I})$
$\mathrm{pX}(\mathrm{K})=15+(100 * \mathrm{X})$
$\mathrm{pY}(\mathrm{K})=140+\mathrm{Y}$
Labell(K).Move $\mathrm{pX}(\mathrm{K}), \mathrm{pY}(\mathrm{K})$
Shape $1(K)$. Visible $=$ True
Shapel(K).Move pX(K) - 5, pY(K) - 10
If J > 0 And Relation $(I+1)<>$ "NextOrder" Then
Load Line15(J)
If Relation $(\mathrm{I}+1)<>$ "NextOrder" Then
Line $15(\mathrm{~J})$. Visible $=$ True
LineX $(\mathrm{J})=\mathrm{pX}(\mathrm{K})+75$
Line $\mathrm{Y}(\mathrm{J})=\mathrm{pY}(\mathrm{K})+10$
Line15(J).X1 = LineX(J)
Line 15(J).Y1 $=$ Line $\mathrm{Y}(\mathrm{J})$
Line15(J).X2 $=\operatorname{LineX}(\mathrm{J})+20$
Line $15(\mathrm{~J}) . \mathrm{Y} 2=$ Line $\mathrm{Y}(\mathrm{J})$
$\mathrm{J}=\mathrm{J}+1$
End If
$K=K+1$
$\mathrm{X}=\mathrm{X}+1$
Else
If $\mathrm{MaxCol}<\mathrm{X}$ Then $\mathrm{MaxCol}=\mathrm{X}$
$\mathrm{X}=0$
$Y=Y+50$
End If
Next I

```
MaxLabel = K - 1
MaxLine = J - 1
MaxRow = (Y-130)/ 50
```

FormTopological.Visible $=$ True
VScroll1.Max $=$ MaxRow $* 3$
VScroll1.Min $=-$ MaxRow * 3
VScroll1.LargeChange $=10$
VScroll1.SmallChange $=1$
HScroll1. $\mathrm{Max}=80+\mathrm{MaxCol}$
HScroll1.Min $=-15 *$ MaxCol
HScroll1.LargeChange $=\mathrm{MaxCol} * 5$
HScroll1.SmallChange $=\mathrm{MaxCol}-1$

End Sub

Private Sub Form_MouseMove(Button As Integer, Shift As Integer, X As Single, Y As Single)

Frame 1. Visible $=$ False
If Check_Click $=$ True Then
Dim I
FormTopological.Cls
For I = 0 To MaxLabel
Label1(I).Move pX(I), pY(I)
Shapel(I).Move pX(I) - 5, pY(I) - 10

## Next I

For $\mathrm{I}=0$ To MaxLine
Line 15(I). $\mathrm{X1}=$ Line $\mathrm{X}(\mathrm{I})$
Line 15(I). Y1 = LineY(I)
Line 15(I).X2 $=$ LineX(I) +20
Line 15(I). Y2 = LineY(I)
Next I
End If

Check_Click = False

## End Sub

## Private Sub HScroll1_Change()

Dim I
FormTopological.Cls
For I = 0 To MaxLabel
$\mathrm{pX}(\mathrm{I})=\mathrm{pX}(\mathrm{I})+($ HScroll1.Value $/ 100 *$ ScaleWidth $)$
Labell(I).Move pX(I), pY(I)
Shape 1 (I).Move $\mathrm{pX}(\mathrm{I})-5, \mathrm{pY}(\mathrm{I})-10$
Next I
For $\mathrm{I}=0$ To MaxLine
LineX $(\mathrm{I})=\operatorname{LineX}(\mathrm{I})+($ HScrolll .Value $/ 100 *$ ScaleWidth $)$
Line15(I).X1 = LineX(I)
Line15(I). $\mathrm{Y} 1=$ Line $\mathrm{Y}(\mathrm{I})$
Line15(I).X2 $=\operatorname{LineX}(\mathrm{I})+20$
Line15(I).Y2 = Line $\mathrm{Y}(\mathrm{I})$
Next I
End Sub

Private Sub Label1_Click(Index As Integer)
Dim dbs As Database
Dim rst As Recordset
Check_Click $=$ True
Set dbs = OpenDatabase(Filename)
Set rst $=$ dbs.OpenRecordset("TRelation")
rst.MoveFirst
Do While Not rst.EOF
If StrComp(Label1(Index).Caption, rst.Fields(11)) $=0$ Then Text1.Text = rst.Fields(0) \& " : " \& rst.Fields(1) Text2.Text $=$ rst.Fields(10)

Text3.Text $=$ rst.Fields(2) \& " : " \& rst.Fields(3)
End If
rst.MoveNext
Loop
rst.Close
dbs.Close
Frame1.Visible = True

## End Sub

## Private Sub VScroll1_Change()

Dim I
FormTopological.Cls
For I = 0 To MaxLabel
$\mathrm{pY}(\mathrm{I})=\mathrm{pY}(\mathrm{I})+($ VScroll1.Value $/ 100 *$ ScaleWidth $)$
Label1(I).Move $\mathrm{pX}(\mathrm{I}), \mathrm{pY}(\mathrm{I})$
Shapel(I).Move pX(I) - 5, pY(I) - 10
Next I
For $\mathrm{I}=0$ To MaxLine
Line $Y(I)=\operatorname{Line} Y(I)+($ VScroll1.Value $/ 100 *$ ScaleWidth $)$
Line 15(I). $\mathrm{Xl}=$ Line $\mathrm{X}(\mathrm{I})$
Line15(I).Y1 = LineY(I)
Line 15(I).X2 $=$ LineX $(\mathrm{I})+20$
Line15(I). $\mathrm{Y} 2=$ Line $\mathrm{Y}(\mathrm{I})$

## Next I

End Sub

